

# MARKOV-MODULATED BERNOULLI DYNAMIC GENTLE RANDOM EARLY DETECTION

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## ABSTRACT

This paper proposes an efficient modeling of the Dynamic (DGRED) algorithm using a three state Markov Modulated Bernoulli arrival process (MMBP-3) for primary period congestion detection at the router buffer. The purpose of using Markov is two folds, the first is to implement DGRED with multiple traffic classes, where in each class may have different priorities and the second is to enhance the mechanism of DGRED in stabilizing the average queue length (*aql*) between the allocated threshold values of *minthreshold* and *maxthreshold*, using variable calculating parameters, which is stored in the utilized states of Markov. The (MMBP-3) is employed to replace the conservative and widely used Bernoulli process (BP) in assessing DGRED method. Accordingly, a three dimensional discrete time Markov chain is provided to implement DGRED algorithm for three traffic classes where each dimension corresponds to a traffic class with its own parameters. The (MMBP-3) is deal with correlation and burstiness in the network traffic. The developed algorithm allows for faster response to the changes in the network, congestion-to-non-congestion and non-congestion-to-congestion, which lead to decrease packet losses and improvement of network performance. The proposed method is evaluated in comparison to the DGRED and other AQM methods, the results reveal that the proposed algorithm provides better performance compared to DGRED, RED, GRED, and Adaptive GRED in relations of delay packet loss, delay and mean queue length. The most appropriate arrival process for DGRED method is IBP for  $D$ ,  $mql$ ,  $P_L$ , and  $D_p$  while congestion occurs. Though, this process cannot discourse correlation. Thus MMBP-3 is the greatest choice as it detects both correlation and bursty things.

**Keywords:** Congestion Control, Adaptive GRED, (RED), Performance Evaluation, MMBP-3, Simulation.

## 1. INTRODUCTION

Through the quick evolution of mainframe networks and technologies of Internet, enhancing the performance of such networks to accommodate the great diversity of services and traffics is an increasing demand. Network performance is highly affected by the congestion [1-4]. Congestion happens at the buffer of the routers in case of the size of the received packets exceeds the existing network resources and the buffer can no longer grip all received packets [4-6].

Commonly, congestion participates effectively in deterioration computer network resources by cumulative the packet dropping ( $D_p$ ) and increasing the packet loss (PL) [7, 8]. In addition, congestion may cause to get more the mean queue length (*mql*)

and the packets mean delay ( $D$ ). Therefore, decreases the size of packets crossing the router, called the throughput (T) [9]. These increment and decrement in these measures are strongly related to the average queue length (*aql*). When *aql* value increases, T value increases. At the same time, D and PL increase and the router buffer overflows. By contrast, when the *aql* value is relatively small, D and T decrease. Active Queue Management (AQM) emerges with an adaptable utilization of threshold values and calculation of what so called dropping probability. Dropping probability is calculated with reference to the threshold value and the status of the queue size. AQM calculates the value of *aql* first, and then compares it with the given threshold. In case the *aql* value is greater than the threshold

value, all packets that arrive at the buffer are dropped with the probability of preventing router buffer overflow [10-13]. Accordingly, in DGRED, as similar to other AQM methods, congestion is controlled with reference to the *aql*.

Unlike other AQM, DGRED [14], employs a dynamic mechanism to control the congestion in the router buffer and stabilize *aql* using a new defined value called Target *aql* (*Taq*). Moreover, DGRED also updates the parameters at the router buffer to enhance network performance. Accordingly, DGRED works dynamically to enhance the performance of the network according to the status of the traffic.

An AQM method, including DGRED, used Bernoulli process to model the incoming traffic and calculates values that control congestion based on this mode. However, bursty and correlation are most significant features to be captured in this traffic, which is not handled by Bernoulli process [15, 16]. As a router buffer is quickly effected to bursty and correlation features in the term of arrival process, MMBP is commonly used in to evaluate the robustness of the fast network because it handles the characteristics of both correlations and burstiness [17]. For that, this paper employs MMBP-3 for system performance and evaluation in DGRED.

The reaming of the paper is arranged as follows. Section 2 illustrates the previous work. Section 3 reflects an overview of the DGRED method. The proposed method is demonstrated in Section 4. Section 5 shows the simulation information and results of the proposed method. Finally, Section 6, stated the conclusions.

## 2. RELATED WORKS

Several studies on congestion control have been conducted [6, 18-22]. The Drop Tail (DT) method [23, 24] was proposed with the aim at controlling congestion using a fixed threshold to optimize the queuing delay. DT sets the threshold to the maximum capacity while dropping all incoming packets when the router buffers size exceeds the fixed threshold. The drawback of this method is the possibility of a rise in high packet queuing delay. DT might also be initialized by setting the threshold to a small value, in which the throughput  $T$  decreases. Accordingly, DT cannot optimize the network performance regardless of the

threshold value. DT has several other drawbacks, such as increase in packet loss rate, saturation of the queue router buffer [4], and global synchronization [25].

Active Queue Management (AQM) is a set of methods proposed to overcome DT limitations discussed earlier. AQM methods usually start dropping packets in the early stages, unlike DT, which starts dropping packets after exceeding the threshold. Consequently, early congestion control allows the sources to decrease their transmitting rates early, before the router buffers are completely occupied. AQM controls the congestion in the router's buffer, improves the throughput, decreases packet queuing delay, decreases packet loss rate, and keeps the *mql* at minimum.

Enormous AQM algorithms for congestion control have been proposed, such as (RED) [25], Gentle RED (GRED) [26], Adaptive (GRED) [27], REDD1 [28], BLUE MMBP2 [29], DGRED [14], and other discrete-time queue analytical models [5-8]. RED is effectual method for congestion control [25]. RED controls the congestion earlier the router buffer completely full using the computed *aql* and two calculated thresholds values, *minthreshold* and *maxthreshold*. Generally, RED detects the congestion as follows: Initially, the computed *aql* is compared with the *minthreshold* and *maxthreshold*. If the *aql* is lesser than the *minthreshold*, no congestion arises. Thus, the router does not drop any packet. If the *aql* value is relies between two *maxthreshold* and *minthreshold*, all the arriving packets are dropped and the probability is calculated as the  $D_p$  to alleviate the congestion. Finally, when the *aql* is over the *maxthreshold*, totally all the arriving packets are dropped at a  $D_p$  value equal to one (Figure 1).

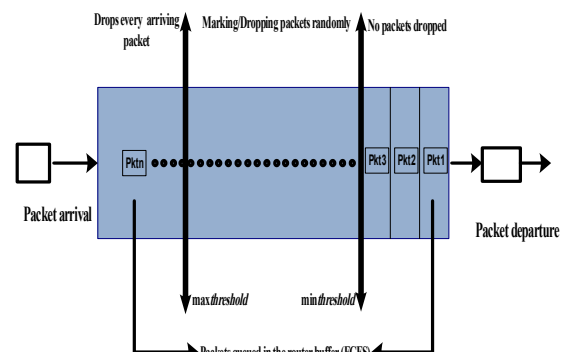


Figure 1: The RED Method Router Buffer

Generally, RED's disadvantage is that the calculated  $aql$  varies in accordance with the congestion case. Therefore, if the congestion case is light, the  $aql$  value will be near to the  $minthreshold$ . If the congestion case is severe, the  $aql$  value will be near to the  $maxthreshold$ ; thus,  $D_p$  will increase and the buffer will overflow. Additional disadvantage is that the calculated  $aql$  be on the traffic load. Consequently, if the traffic load is great,  $aql$  value may exceed the  $maxthreshold$ . In such a case, network performance will be decreased in many aspects. So, the router buffer will drop all the packets arrive. Moreover, RED parameters shall be determined at certain values to achieve high performance [30, 31].

Floyd [26] the proposed GRED to overcome some limitations in RED [26, 31, 32]. Similar to RED, the main aim of the GRED algorithm is to manage the congestion networks at the primary stage. GRED uses a like method that is used by RED in calculating  $D_p$  to stabilize  $aql$  at a definite level. However, GRED utilizes three thresholds (*minimum, maximum, and doublemaximum*). Usually, GRED deal with the arriving packets built on one of the following situations (Figure 2):

1. When  $aql$  at the router is lesser the  $minthreshold$ , the GRED doesn't drop any packet.
2. If  $aql$  is between the  $minthreshold$  and  $maxthreshold$ , the GRED will drop the arriving packets similar to RED.
3. If  $aql$  is between the  $maxthreshold$  and  $doublemaxthreshold$ , the GRED will drop the packets with higher probability.
4. If  $aql$  is equal or above the  $doublemaxthreshold$ , The dropping value is equal to one.

Unfortunately, GRED has some disadvantages. First, GRED has more than threshold values to deal with. Second, parameterization. Third, in case that  $aql$  is below  $minthreshold$  with high high happens,  $aql$  takes time to adjust and the router buffers will possible overflow during the adjustment process.

AGRED is suggested to improve the GRED algorithm during congestion at the router buffer. Also, AGRED goals at improving the parameter settings (e.g., the  $maxthreshold$  and the maximum value of  $D_{init}$ , which is equal to  $D_{max}$  in GRED). The computation of  $aql$  in AGRED is also like to that in GRED. Consequently, AGRED

decides on the packet dropping in a manner similar to that in GRED [27] (Figure 2).

The difference between AGRED and GRED is in the calculation of  $D_{init}$  (the initial packet dropping ( $D_p$ )). In AGRED,  $D_{init}$  value varies between  $D_{max}$  value to 0.5 as long as the  $aql$  value is between the  $doublemaxthreshold$  and  $maxthreshold$ . In GRED, when  $aql$  value is between the  $doublemaxthreshold$  and  $maxthreshold$ ,  $D_{init}$  value varies between  $D_{max}$  value to 1.0.

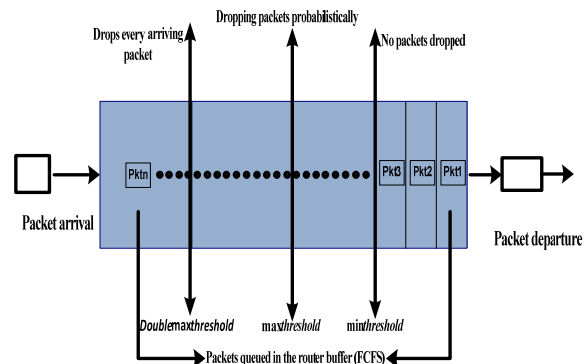


Figure 2: The GRED and AGRED Router Buffer

DGRED is another extension of GRED [14]. DGRED employs a dynamic  $maxthreshold$  and  $doublemaxthreshold$  to control the congestion in the router buffer at the early stage before it overflows. The aim of the DGRED algorithm is to stabilize  $aql$  using a new defined value called Target  $aql$  ( $T_{aql}$ ).  $T_{aql}$  is calculated between the  $minthreshold$  and  $maxthreshold$  (Figure 3). DGRED also updates the  $maxthreshold$  and  $doublemaxthreshold$  parameters at the router buffer to enhance network performance. DGRED uses the GRED algorithm's policy in dropping packets with probability when the  $aql$  is between the  $minthreshold$  and  $doublemaxthreshold$ .

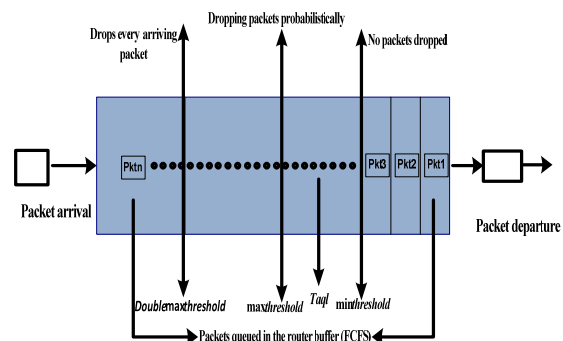


Figure 3: The Dynamic GRED Router Buffer

3. DYNAMIC GENTLE RANDOM EARLY DETECTION (DGRED)

$$aqi = aqi \times (1 - qw) + qw \times q\_instantaneous \tag{3}$$

As mentioned, the aim of the DGRED [14], is to stabilize *aqi* using a new defined value called Target *aqi* ( $T_{aqi}$ ). DGRED mechanism is implemented in four steps, as discussed in the following: **Step 1:** *initialization of the parameter setting* is produced during the packet incoming time. DGRED initiates the *minthreshold* and *maxthreshold* to the same values as those in the GRED and RED algorithms [25, 26]. Furthermore, the *doublemaxthreshold* is set to the same significance as that in GRED [26]. The *aqi* is initialized to 0.0 and the counter (C) value is set to -1. The parameter C denotes the amount of packets that reached at the buffer thus far without being dropped since the previous dropping. The value of the *aqi* is initialized in this stage as well.

**Step 2:** *Target Value* ( $T_{aqi}$ ) is then calculated using Equation 1.  $T_{aqi}$  value was introduced in DGRED to stabilize the *aqi* between the *minthreshold* and *maxthreshold* and to detect congestion at the early stage. The indicated position by  $T_{aqi}$  identifies the incipient congestion situation.

$$T_{aqi} = \frac{minthreshold + doublemaxthreshold}{\# threshold} \tag{1}$$

where #threshold is refer to the number of thresholds that is used by the algorithm (*minthreshold*, *maxthreshold* and *doublemaxthreshold*). Equation 1 is derived to get a value for  $T_{aqi}$  between *min* and *maxthreshold* values. GRED recommends that the setting value of the *maxthreshold* is double that of the *minthreshold* [26]. Thus, any setting value for *min* and *maxthreshold* can be used with Equation 1 to provide a value for  $T_{aqi}$  between *minthreshold* and *maxthreshold* values.

**Step 3:** the *aqi* value is computed based on whether the router buffer is empty or not, as explained in Figure 4. Consequently, in the case that the queue of the router buffer is empty, the *aqi* value is computed based on the present idle time (n). The *aqi* value is computed using Equation 2. So, if the buffer is not empty, the *aqi* is computed using Equation 3.

$$aqi = aqi \times (1 - qw)^n \tag{2}$$

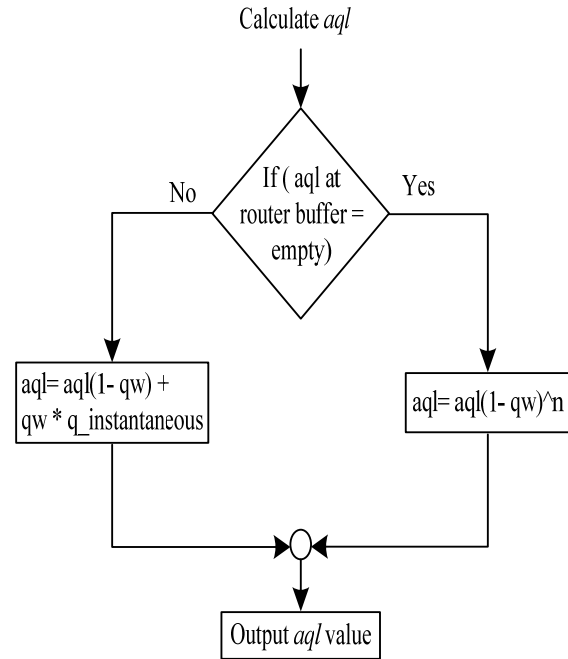


Figure 4: The process of *aqi* Calculation

**Step 4:** the calculated *aqi* value is compared to the value of  $T_{aqi}$  and then updates *doublemaxthreshold* and *maxthreshold* locations to improve network performance (Figure 5). The values of both *doublemaxthreshold* and *maxthreshold* are updated with mention to the *aqi*. The values of *doublemaxthreshold* and *maxthreshold* values are decreased and increased by Equations 4 to 6 to manage and control congestion at the router buffers. This management is done by updating *doublemaxthreshold* and *maxthreshold* values by increasing and decreasing around the  $T_{aqi}$  level. Thus, the *aqi* value stabilizes at the  $T_{aqi}$  level. This stabilization prevents router buffers from overflowing. As a result, fewer packets are dropped.

$$maxthd - (doublemaxthrd - minthrd) \times (1 / \# \text{ of thrd}) \tag{4}$$

$$doublemaxthrd - (doublemaxthrd - minthrd) \times (1 / \# \text{ of thrd}) \tag{5}$$

$$minthrd - (doublemaxthrd - minthrd) \times (1 / \# \text{ of thrd}) \tag{6}$$

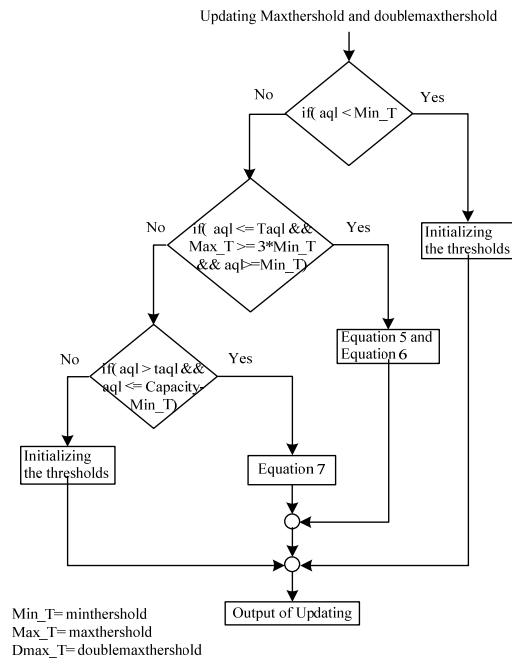


Figure 5: Updating Process of maxthreshold and doublemaxthreshold

So, if  $aql$  value is less than  $minthreshold$  value, no congestion happens and  $maxthreshold$  and  $minthreshold$  values will not be updated [26]. Though, if  $aql$  is above than  $minthreshold$  value and equal than or less to  $T_{aql}$ , and  $maxthreshold$  value is equal than or greater to three times of  $minthreshold$ , then  $maxthreshold$  and  $doublemaxthreshold$  values are changed using Equations 5 and 6, respectively. As such,  $aql$  value rises accordingly to be stabilized at  $T_{aql}$ . On the other hand, if  $aql$  is greater than  $T_{aql}$  and less than or equal to the value of (capacity of buffer -  $minthreshold$ ),  $doublemaxthreshold$  and  $maxthreshold$  values are updated using Equation 7. Therefore, they become the same and they avoid  $doublemaxthreshold$  value to go above the buffer capacity. Then,  $doublemaxthreshold$  and  $maxthreshold$  values are increased to push  $aql$  toward the  $T_{aql}$  and to ease congestion in the routers buffer by processing more packets. Lastly, if nothing of these cases happens,  $maxthreshold$  is put to the same values as those in the RED methods [25] and  $doublemaxthreshold$  is put to a same value as that in GRED [26].

#### 4. THE PROPOSED MMBP3-DGRED

BP is used for a modeling packet arrival process in discrete-time queuing systems [33, 34] with the existence of correlation and burstiness of packet

arrivals is presently not a good choice [33, 34]. The performance of discrete time queuing system is extremely sensitive to correlation and burstiness in the arrival process model. MMBP-3 [33, 34] is generally used as a source model in the performance analysis of high speed discrete time queuing networks because it can engross correlation and burstiness properties in the arrival process model [33, 34]. In this paper, 3-States Markov Modeling Bernoulli Process (MMBP3) is proposed to replace the Bernoulli process in DGRED. As bursty and correlation are most significant traffic features, Bernoulli process is not appropriate theory for an incoming packets process of the packets in a discrete times structure [15, 16]. As a router buffer is greatly sensitive to bursty and correlation features in the arrival packets process, (MMBP) is one the models that used to evaluate the robustness of the fast network traffic because it handles the characteristics of both correlations and burstiness [17]. For that, this paper employs MMBP-3 for system performance and evaluation. Time in the proposed method is discretized into fixed length slots and the process uses a geometric period of time slots for each state (Figure. 6).

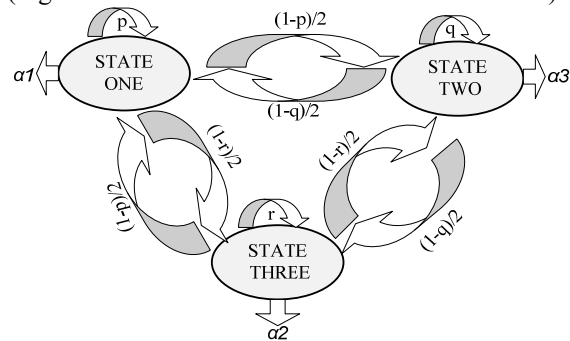


Figure 6: Three-state MMBP

In the propose method, the arrival process has three separate states, and the source produces packets for traffic class one in state-one, traffic class two in state-two and traffic class three in state-three. State transitions is implemented as follows: When the arrival process is in state number one in time slot  $k$ , it produces an arrival with probability equal  $a_1$  and may still in this state in the next time slot ( $k + 1$ ) with probability equal  $p$ . in case the arrival process is in the state number two in time slot  $k$ , it produces a packet with probability equal  $a_2$  and may still in state-two in the next time slot ( $k + 1$ ) with probability  $q$  and finally, when the arrival process is in state number three in time slot  $k$ , it produces a packet with probability  $a_3$  and may still in state three in the next time slot ( $k + 1$ ) and



with probability  $r$ . The change probability from state one to state two and state three is equal to  $(1 - p/2)$ , from state two to state one and state three is equal to  $(1 - q/2)$ , and the change probability from state three to state one and state two is equal to  $(1 - r/2)$ . Therefore, the probability that a time slot contains an arrival packet is a Bernoulli process with a parameter  $a_1, a_2$  and  $a_3$  that differs according to a three state Markov process which is independent of the arrival distribution. So, MMBP3 is characterized by its change probability matrix  $P$  and a diagonal matrix  $K$  of arrival probabilities, Equation 7.

$$P = \begin{bmatrix} p & (1-p)/2 & (1-p)/2 \\ (1-q)/2 & q & (1-q)/2 \\ (1-r)/2 & (1-r)/2 & r \end{bmatrix}, A = \begin{bmatrix} a_1 & 0 & 0 \\ 0 & a_2 & 0 \\ 0 & 0 & a_3 \end{bmatrix} \quad (7)$$

The steady state probabilities of the MMBP3 in each state can be achieved from the balance equations for this three state chain and are known by Equation 8, Equation 9 and Equation 10, respectively.

$$P(0) = pP(0) + (1 - q)/2P(1) + (1 - r)/2P(2) \quad (8)$$

$$P(1) = (1 - p)/2P(0) + qP(1) + (1 - r)/2P(2) \quad (9)$$

$$P(2) = (1 - p)/2P(0) + (1 - q)/2P(1) + rP(2) \quad (10)$$

where  $P(0), P(1)$  and  $P(2)$  are the steady state probabilities that the MMBP is in state one, state two, and state three separately. Therefore, the proposed MMBP3-DGRED is operated, congestion is estimated and packet dropping is implemented, as shown in Figure 7.

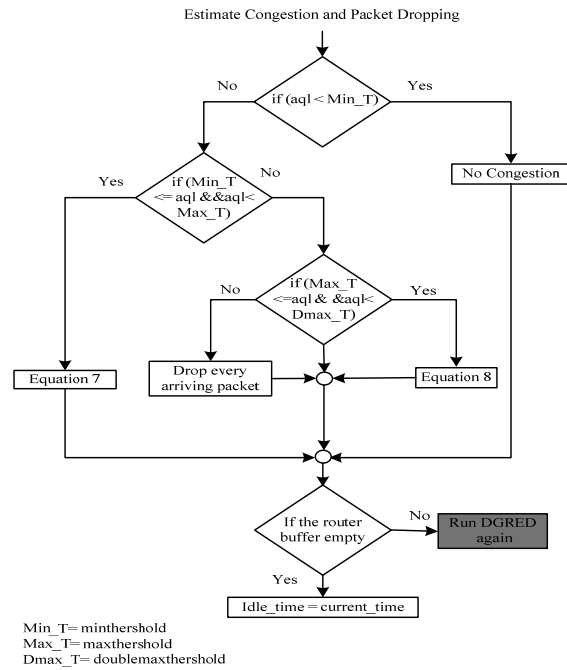


Figure 7: Estimated and Evaluation Congestion and Packet Dropping

The status of congestion is evaluation and estimated based on  $aq1$  value. So, if  $aq1$  value is below than  $minthreshold$ , no packet is dropped since no congestion is offered at DGRED router buffer. In addition,  $C$  value is set to  $-1$  and  $D_p$  is set to  $0.0$ . Therefore, no packet is dropped. On the other hand, if  $aq1$  value is between  $maxthreshold$  and  $minthreshold$  values, The DGRED router buffer drops packets in a approach similar to that exist in GRED. Dropping packets is specified with calculating  $D_p$  for the arriving packet using Equation 11 and increasing  $C$  value by one.

$$D_p = \frac{D_{max} \times (aq1 - minthreshold)}{maxthreshold - minthreshold} \times (1 - C \times D_{init}) \quad (11)$$

So, if the value of  $aq1$  is between  $doublemaxthreshold$  and  $maxthreshold$ , DGRED algorithm router buffer drops the packets in a approach similar to that in GRED algorithm, which contains calculating  $D_p$  for the arrival packet using Equation 12 and initializing the  $C$  value to  $1$ . Finally, if  $aq1$  value is above than or equal to  $doublemaxthreshold$ , DGRED algorithm router buffer drops all arriving packet with dropp value equal one and sets  $C$  to be zero. Consequently, when the DGRED algorithm router buffer becomes empty, the idle time is set to current time.

$$D_p = \frac{D_{max} + \frac{(1 - D_{max}) \times (\alpha q - \text{maxthreshold})}{\text{maxthreshold}}}{(1 - \alpha) \times D_{init}} \quad (12)$$

5. SIMULATION AND PERFORMANCE EVALUATION

RED, GRED, AGRED, DGRED, GRED-MMBP3 and the proposed DGRED-MMBP3 are simulated and evaluated dependent on a discrete time queue that employs slot as a time [20, 35]. Every slot might include arrived or departed packets. We have used one router’s buffer to implement and compare the proposed DGRED-MMBP3 method with the other methods. Whereas, the arrived or departed packet implemented in one mode. The preparation mode is first in first out . The implementation is applied in Java language on an i7 processor with 1.68 GHz and 3 GB RAM. In the showed simulation, the probability of the arriving is denoted by  $\alpha$  [35].  $\beta$  denotes to the probability of packet departure. The arrived packets can be demonstrated using a Bernoulli process, whereas the departed packets can be demonstrated using a geometrical distribution. Using geometrical distribution.

The performance of the proposed DGRED-MMBP3 is compared with those of DGRED, GRED, GRED-MMBP3, AGRED, and RED. The performances of these methods are measured and tested ten times in ten runs, each run using different seeds as input to the random number generator. This main step removes possible unfairness in the output results and produces assurance intervals for the performance measures in the simulation. The performances of all AQM methods are computed and evaluated when the system arrive a steady state. The buffer size consist of 20 packets was used to sense congestion at small buffer sizes in DGRED, RED, GRED and AGRED and the buffer size room of 35 packets in GRED-MMBP3 and DGRED-MMBP3. The number of slots used in the tests was 2000000. This value is sufficient warm up period, The warm up period is finished when the system arrives a steady state. The values of  $D_{max}$ ,  $minthreshold$ ,  $maxthreshold$ , and  $qw$  are fixed to 0.1, 3, 9 and 0.002, respectively in RED, GRED, DGRED and AGRED and for the first class in GREDMMBP3 and DGRED-MMBP3, as recommended in RED [25], while these values are set to 4,12, 0.1, and 0.002, respectively for the second class in GRED-MMBP3 and DGRED-MMBP3 and are set to 5, 15, 0.1, and 0.002, respectively for the third class in GRED-MMBP3 and DGRED-MMBP3 [26]. Table 1 contains all the utilized parameters. The simulation evaluation

results are measured using several performance metrics (e.g.,  $mql$ ,  $T$ ,  $D$ ,  $P_L$ , and  $D_p$ ), which are discussed in the following subsection

Table 1: Parameter settings for GRED, AGRED, RED GREDMMBP3 and DGREDMMBP3 algorithms

Parameter	GRED, AGRED	RE D	GREDMMBP3,DG REDMMBP3
The Probability of packets arrival	0.18-0.93	0.18 - 0.93	0.18-0.93
Prospect of departed packets	0.5	0.5	0.5
Buffer size	20	20	35
Qw	0.002	0.002	0.002
Dmax	0.1	0.1	0.1
Number of slots	2000000	0.1	0.1
minthreshold	3	3	3, 4 and 5
maxthreshold	9	9	9, 12 and 15
doublemaxthre shold	18	-----	18, 24, 30

5.1 Mql, Throughput, and Delay

Figure 8, Figure 9 and Figure 10 illustrate the output performances of RED, GRED, AGRED, DGRED, GRED-MMBP3 and DGRED-MMBP3 using different probabilities of packet arrivals. Specially, Figures 8 shows the  $mql$  versus the probability of packet arrival, Figure 9 illustrates delay between all the involved methods and Figure 10 illustrates throughput between all the involved methods.

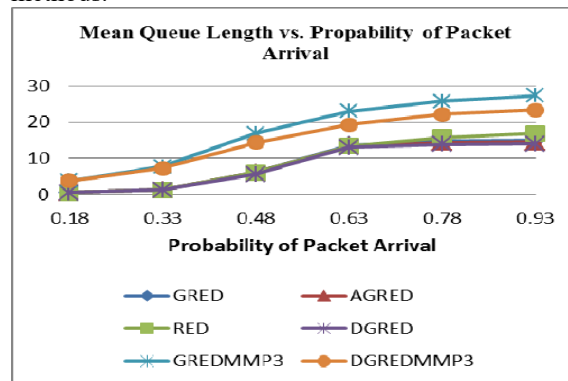


Figure 8: Results of  $mql$  vs. probability of packet arrival.

In Figure 8,  $mql$  for RED, GRED, AGRED and DGRED are same up to sure value of the probability of packet arrival (e.g., 0.33), with similar observation between the proposed DGRED-MMBP3 and GRED-MMBP3. In case a low

probability value, there is at most a light congestion case since the probability of packet departure is greater than that of packet arrival ( $a > B$ ). In such case, all the compared methods sustain a good and stable *mql*. However, for a higher probability value, congestion is more likely to happen at the router buffers. Accordingly, the *mql* of the AQM algorithms increases exponentially. The proposed algorithm, on the other hand, performs better than the AQM algorithms in terms of *mql* at such high probability values. This phenomenon occurs mainly because DGRED drops fewer packets than RED, GRED and AGRED and DGRED-MMBP3 drops fewer packets than GREDMMBP3.

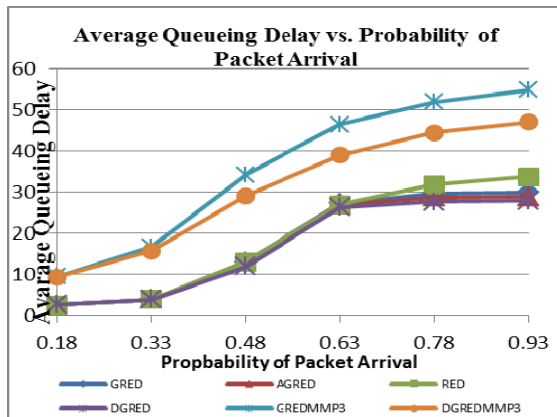


Figure 9: Results of *D* vs. probability of packet arrival

In Figure 9, once again, DGRED and DGRED-MMBP3 achieve better in terms of the average delay. However, AGRED also shows good performance in terms of delay. This result is due to the fewer dropped packets in DGRED than those in RED, GRED, and AGRED. Also, DGRED-MMBP3 drops fewer packets compared to GREDMMBP3.

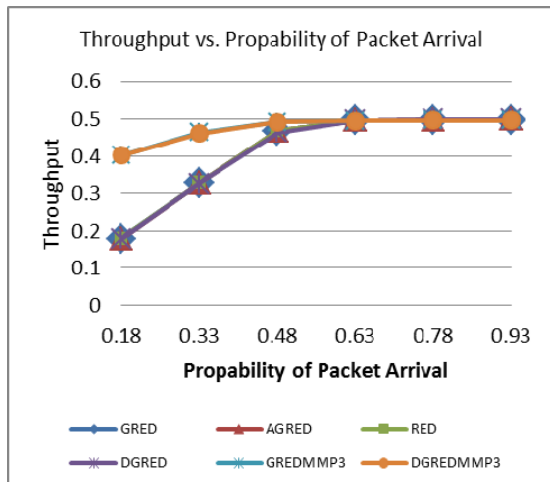


Figure 10: *T* vs. probability of packet arrival

Finally, in Figure 10, all the compared algorithms show similar results performance according to the throughput measure, in case that the arrived packet prospect value is less than the departed packet prospect value. Throughput results curve for the other methods are stabilized near the same value of the departed packet prospect during the congestion time.

## 5.2 Packet Loss and $D_p$

The DGRED\_MMBP3 algorithm is compared with the RED, GRED, AGRED, DGRED and GREDMMBP3 algorithms in terms of  $D_p$  and  $P_L$  in this section. The aim of the conducted comparison is to demonstration the quantity of packets dropping at the router buffer in all compared methods. The performances of RED, GRED, ARED, DGRED, GRED-MMBP3 and DGRED-MMBP3 methods in terms of  $P_L$  and  $D_p$  are showed in Figures 11 and Figure 12, respectively.

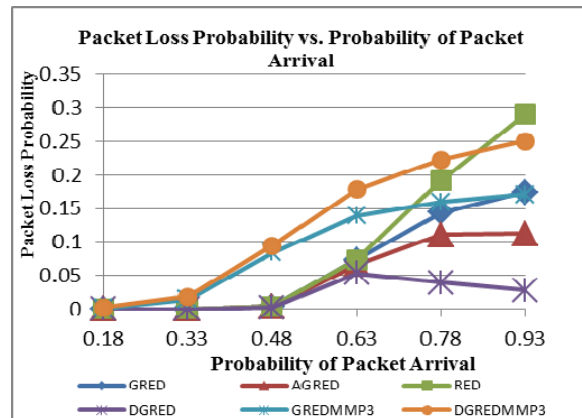


Figure 11:  $P_L$  vs. probability of packet arrival

In Figures 11, the DGRED-MMBP3 and DGRED marginally obtains the best and least  $P_L$  performance when the prospect of packet departure is less than the prospect of packet arrival, since the router buffer in the DGRED-MMBP3 and DGRED algorithms overflows at an earlier time compared with those in the GRED, RED, AGRED and GRED-MMBP3 algorithms. When arrived packets prospect is less than the departed packets prospect, all algorithms obtain similar  $P_L$  results under no congestion status.



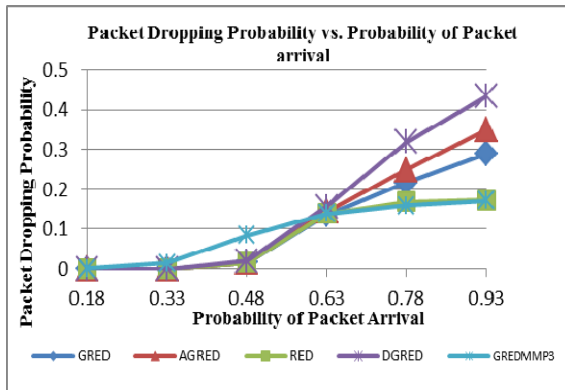


Figure12:  $D_p$  vs. probability of packet arrival

Similarly, in Figures 12, the proposed DGRED-MMBP3 and DGRED evidently drop more packets at the router buffer than the RED, GRED, AGRED and GRED-MMBP3. When arrived packets prospect is higher than the departed packets prospect. Likewise, the reason for this result is since the router buffers in the DGRED and DGREDMMBP3 algorithms overflow at an earlier stage compared with those in RED, GRED, AGRED and GREDMMBP3.

In summary, the DGRED-mmp3 offers satisfactory performance results when the packets arrival greater than the packets departure or less than the packet departure. Unlike AQM methods such as BLUE-MMP2. This uses two states to detect the Correlation and burstiness. In this case when the traffic is high the performance results degrade and the router buffer overflows.

## 6. CONCLUSIONS

Correlation and burstiness are mostly important features for heavy traffic. However, restitution traffic model as the PB processes are enable to capture Correlation and burstiness. In this paper a (MMBP3) as the traffic source for DGRED, which detects congestion at router buffers at an initial state before the router buffer arrives to the limit. DGRED-MMBP3 is compared with DGRED, GRED, RED, AGRED and GRED-MMBP3 in measures of  $mql$ ,  $T$ ,  $D$ ,  $P_L$ , and  $D_p$ , and the observations were as follows:

- RED, GRED, AGRED, and DGRED give similar measure results at what time the of arrived packets value less than the departed packets value.
- GRED-MMBP3 and DGRED-MMBP3 give similar performance measure at what time the arrived packets prospect is reached to a value

less than the departed packets prospect.

- DGRED and DGRED-MMBP3 slightly gives better  $mql$  and  $D$  results than RED, GRED, AGRED and GRED-MMBP3 at what time the values of arrived packets are higher than the values of departed packets. Also, RED, GRED, AGRED, DGRED, GRED-MMBP3 and DGRED-MMBP3 obtain similar  $T$  results with such values of packet arrival probability.
- DGRED-MMBP3 slightly outperforms the GRED-MMBP3 for  $P_L$  while the departed packets value is less than the arrived packets value.
- Moreover, GRED-MMBP3 drops fewer packets ( $D_p$ ) at their router buffers compared to DGRED-MMBP3 at such values of packet arrival probability.

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