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PERFORMANCE IMPROVEMENT OF TRANSMISSION SYSTEM USING TCSC WITH FIRING ANGLE CONTROL

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ABSTRACT

In today's highly complex and interconnected power systems, mostly made up of thousands of buses and hundreds of generators, there is a great need to improve electric power utilization maintaining reliability and security. Available power generation, usually not situated near a growing load center, is subject to regulatory policies and environmental issues. The majority of the losses are occurred at the transmission level. So by controlling or managing the transmission system with FACTS the losses will be reduced. Although the voltage constraints are within limits but the reactive power losses are majorly high in transmission system. So by suitable placement of series FACTS devices i.e TCSC at the transmission system the reactive power losses are controlled. In this paper the concept of firing angle control for the series compensating device is introduced for flexible control of the device at transmission system. Simulation results are carried out on IEEE 14, 30, 57,118 bus test systems.

Keywords: Power System, Transmission System, FACTS, TCSC, Firing Angle, FVSI.

1. INTRODUCTION

The 21st century power system network faces lot of complexities in terms of stability and meeting the power crisis. Voltage stability plays an important role in the operation of power system and there are major concerns about it for better utilization of the system. This purpose can be achieved by installing FACTS devices in transmission lines. These devices can control the power flow and increase the performance in a power system without necessity of reorganizing the generation of system. And the need for analyzing and improving the stability is a challenging task. The need of controlling the power system especially transmission system is increases. So by including the Series Facts devices like TCSC, the reactive and real power losses will reduces and voltage profile of the system will be better. The placement of FACTS devices will be determined by using the load flow analysis i.e Newton raphson method and loss suitability indices. The literature mainly concentrated on the series compensation placement and its size based on the target value of the voltage (p.u) at the buses by selecting the suitable line.Finding out the proper location of

TCSC is obtained by using Fast Voltage Stability Index(FVSI). The FVSI is used to find out optimum location and settings of TCSC for enhance the Transmission line overloading issues. The TCSC should be placed on the line having most positive Voltage stability index. The voltage stability enhancement and loss minimization is evaluated for IEEE-14,30,57,118 bus systems incorporating TCSC at its optimal location obtained using FVSI technique This paper is divided in to four section. In section-I introduction to the power system and series compensation, section-II Load flow analysis for analyzing the steady state system, section -III introduces the firing angle control of TCSC and modeling of the TCSC with the Newton raphson method of load flow analysis and In section-IV the proposed method is adopted to the different test cases to analyses the power flows, voltage profile ,real and reactive power losses.

2. LITERATURE REVIEW

In the literature many people proposed different concepts about the placement and sizing of the TCSC

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Hadi Saadat Presented Real and Reactive Power flow equations in polar form by considering two bus power system. A Jacobean matrix is then constructed and Newton Raphson method is used to solve these equations[1].Ref.[2]-[6] Papers proposed in literatures for load flow analysis with incorporated FACTS controllers in multimachine power systems from different operating conditions viewpoint. There are different load flow analysis with incorporated FACTS controllers from different operating conditions in multimachine power systems for optimal power flow control. The Newton Raphson Methods have been proposed in literatures includes for different types of Modeling of Series FACTS controllers .Sahoo et.al (2007) proposed the basic modeling of the FACTS devices for improving the system performance[7].Zhang, X.P et.al explains Jacobian Matrix of Power flow Newton Raphson algorithm and Newton Raphson strong convergence characteristics [8].Gotham.D.J and G.T Heydt (1998) detailed about the power flow studies of the system with FACTS devices[9].Povh.D(2000) proposed the nice concepts of the modeling of the power systems and the impact of the FACTS devices on the transmission network [10].Modelling of the FACTS devices with various techniques with complete computer programming is proposed by Acha et.al. [11]. The impact of multiple compensators in the system was proposed by Radman.G and R.S Raje [12]. The important concepts of the power systems with different load flow was proposed by Stagg.G.W et.al(1968) [13]. Tong Zhu and Gamg Haung proposed(1999) the accurate points of the buses which were suitable for the FACTS devices installation [14].P.Kessal and H. Glavitsch(1986) proposed increase the transmission capability, improvement of stability by installing FACTS devices in transmission network [15]. Hingorani N.G et.al presented about FACTS devices ,which are a family of high-speed electronic devices, which can significantly increase the power system performance by delivering or absorbing real and/or reactive power [16].Musirin and Abdul (2002), presented a paper on Fast Voltage Stability Index (FVSI). This paper demonstrates the use of line stability index termed as fast voltage stability index in order to determine the maximum loadability in a power system. The bus that is ranked highest is identified as the weakest bus since it can withstand a small amount of load before causing voltage collapse. The point at which FVSI close to unity indicates the maximum possible connected load termed as maximum loadability at the point of bifurcations. [17].Hugo Ambriz-Perez et.al presented a novel power flow model for the thyristor-controlled series compensator (TCSC) in this paper. The model takes the form of afiring angle-dependant, nodal admittance matrix that is then incorporated in an existing Power flow algorithm [18].

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3.. LOAD FLOW ANALYSIS

In large-scale power flow studies, the Newton– Raphson method has been proved most successful owing to its strong convergence characteristics.

Because of its quadratic convergence, Newton's technique is mathematically superior to the Gauss-Siedel technique and is a smaller amount liable to divergence with ill-conditioned issues. For giant power systems, the Newton-Raphson technique is found to be additional economical and sensible. The quantity of iterations needed to get an answer is freelance of the system size; however additional purposeful evaluations are needed at everyiteration. Since within the power flow problem real power and voltage magnitude are nominal for the voltage-controlled buses, the power flow equations[1] are developed in polar type. For the standard bus of the facility system shown in Fig 1



Figure.1. A Typical bus of the power system

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The current entering bus i is given by

$$I_i = V_i \sum_{j=0}^{n} y_{ij} \sum_{j=1}^{n} y_{ij} V_j \quad j = i$$
 (1)

This equation can be written in terms of the bus admittance matrix as

$$I_i = \sum_{j=1}^n Y_{ij} V_j$$
 (2)

In the above equation, j includes bus i. expressing this equation in polar form, we have

$$\mathbf{I}_{i} = \sum_{j=1}^{n} |\mathbf{Y}_{ij}| |\mathbf{V}_{j}|_{\perp} \boldsymbol{\theta}_{ij+} \, \boldsymbol{\delta}_{j} \tag{3}$$

The complex power at bus i

$$\mathbf{P}_{i} - \mathbf{j} \quad \mathbf{Q}_{i} = \mathbf{V}_{i}^{*} \mathbf{I}_{i} \tag{2}$$

Substituting from 2.3 for I_i in 2.4

$$P_{i}\text{-}jQ_{i}\text{=}|V_{i}|_{\perp}\delta_{i}\sum_{j=1}^{n}|Y_{ij}||V_{j}|_{\perp}\theta_{ij+}\delta_{j} \tag{5}$$

Separating real and imaginary parts

$$P_{i} = \sum_{j=1}^{n} |V_{i}| |V_{j}| |Y_{ij}| Cos(\theta_{ij} + \delta_{j} - \delta_{i})$$
$$= P_{i}(|V|, \delta)$$
(6)

$$Q_{i} = \sum_{j=1}^{n} |V_{i}| |V_{j}| |Y_{ij}| Sin(\theta_{ij} + \delta_{j} - \delta_{i})$$
$$= Q_{i}(|V|, \delta)$$
(7)

The power mismatch equations ΔP and ΔQ are expanded around a base point ($\theta(0), V(0)$) and, hence, the power flow Newton-Raphson[8] algorithm is expressed by the following relationship.

$$\begin{bmatrix} \Delta P \\ \Delta Q \end{bmatrix} = \begin{bmatrix} \frac{\partial P}{\partial \theta} & \frac{\partial P}{\partial V} \\ \frac{\partial Q}{\partial \theta} & \frac{\partial Q}{\partial V} \\ \frac{\partial Q}{\partial \theta} & \frac{\partial Q}{\partial V} \\ \end{bmatrix} \begin{bmatrix} \Delta \theta \\ \frac{\Delta V}{V} \end{bmatrix}$$
(8)

Where

 ΔP is the change of real power at the bus.

$$\Delta Q$$
 is the change of reactive power at the bus.

 $\frac{\partial r}{\partial \theta}$ is the change in real power w.r.t angle at the buses

 $\frac{\partial P}{\partial V}V$ is the change in real power w.r.t change in voltage magnitude at the buses

voltage magnitude at the buses

 $\frac{\partial Q}{\partial \theta}$ is the change in reactive power w.r.t angle at

the buses

.4)

 $\frac{\partial Q}{\partial V}V$ is the change in reactive power w.r.t

change in Voltage magnitude at the buses

 ΔV is the change in voltage at the bus $\Delta \theta$ is the change in angle at the bus

4. SERIES COMPENSATION

FACTS controllers can be broadly divided into four categories, which include series controllers, shunt controllers, combined seriesseries controllers, and combined series-shunt controllers. Their operation and usage are discussed below.

A series controller may be regarded as variable reactive or capacitive impedance whose value is adjusted to damp various oscillations that can take place in the system. This is achieved by injecting an appropriate voltage phasor in series with the line and this voltage phasor can be viewed as the voltage across an impedance in series with the line. If the line voltage is in phase quadrature with the line current, the series controller absorbs or produces reactive power, while if it is not, the controllers absorb or generate real and reactive power. Examples of such controllers are Static Synchronous Series Compensator (SSSC), Thyristor-Switched Series Capacitor (TSSC), Thyristor-Controlled Series Reactor (TCSR), to cite a few. They can be effectively used to control

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current and power flow in the system and to damp oscillations of the system.

4.1 Thyristor Controlled Series Capacitor (TCSC)

The basic conceptual TCSC [18] module comprises a series capacitor, *C*, in parallel with a thyristor-controlled reactor, LS, as shown in Fig. 2. However, a practical TCSC module also includes protective equipment normally installed with series capacitors. A metal-oxide varistor (MOV), essentially a nonlinear resistor, is connected across the series capacitor to prevent the occurrence of high-capacitor over- voltages. Not only does the MOV limit the voltage across the capacitor, but it allows the capacitor to remain in circuit even during fault conditions and helps improve the transient stability.

Also installed across the capacitor is a circuit breaker, CB, for controlling its insertion in the line. In addition, the CB bypasses the capacitor if severe fault or equipment-malfunction events occur. A current-limiting inductor, Ld, is incorporated in the circuit to restrict both the magnitude and the frequency of the capacitor current during the capacitor-bypass operation.

An actual TCSC system usually comprises a cascaded combination of many such TCSC modules, together with a fixed-series capacitor, *CF*. This fixed series capacitor is provided primarily to minimize costs.



4.2. Operation Of The TCSC (Firing Angle Power Flow Model)

The computation of the firing angle is carried out. However, such calculation involves an iterative solution since the TCSC reactance and firing angle are nonlinearly related. One way to avoid the additional iterative process is to use the alternative TCSC Variable Impedance Power Flow model presented in this section. The fundamental frequency equivalent reactance XTCSC(1) of the TCSC module [18] shown in Figure 3





 $X_{TCSC(1)} = -X_c + C_1 \{2(\pi - \alpha) + \sin[2(\pi - \alpha)]\} - C_2 \cos^2(\pi - \alpha) \{\omega \tan[\omega(\pi - \alpha)] - \tan(\pi - \alpha)\}$ (1)

Where

$$C_1 = \frac{X_c X_{Lc}}{\pi} \tag{2}$$

$$C_2 = \frac{4X_{LC}^2}{X_L \pi} \tag{3}$$

$$X_{LC} = \frac{X_c X_L}{X_c - X_L} \tag{4}$$

$$\omega = \left(\frac{X_c}{X_L}\right)^{\frac{1}{2}} \tag{5}$$

TCSC active and reactive power equations at bus k are

$$P_k = V_k V_m B_{km} \sin(\theta_k - \theta_m) \tag{6}$$

$$Q_{k} = -V_{k}^{2}B_{kk} - V_{k}V_{m}B_{km}\cos(\theta_{k} - \theta_{m}) \quad (7)$$

Where

$$B_{kk} = B_{km} = B_{T \operatorname{csc}(1)} \tag{8}$$

$$\begin{bmatrix} \Delta P_{k} \\ \Delta P_{m} \\ \Delta Q_{k} \\ \Delta Q_{m} \\ \Delta P_{m}^{\text{deter}} \end{bmatrix} = \begin{bmatrix} \frac{\partial P_{k}}{\partial \theta_{k}} & \frac{\partial P_{k}}{\partial \theta_{m}} & \frac{\partial P_{k}}{\partial V_{k}} V_{k} & \frac{\partial P_{k}}{\partial V_{k}} V_{m} & \frac{\partial P_{k}}{\partial \alpha_{CSC}} \\ \frac{\partial P_{m}}{\partial \theta_{k}} & \frac{\partial P_{m}}{\partial \theta_{k}} & \frac{\partial P_{m}}{\partial V_{k}} V_{k} & \frac{\partial P_{m}}{\partial V_{m}} V_{m} & \frac{\partial P_{m}}{\partial \alpha_{CSC}} \\ \frac{\partial Q_{k}}{\partial \theta_{k}} & \frac{\partial Q_{m}}{\partial \theta_{k}} & \frac{\partial Q_{m}}{\partial V_{k}} V_{k} & \frac{\partial Q_{m}}{\partial V_{m}} V_{m} & \frac{\partial Q_{m}}{\partial \alpha_{CSC}} \\ \frac{\partial Q_{m}}{\partial \theta_{k}} & \frac{\partial Q_{m}}{\partial \theta_{m}} & \frac{\partial Q_{m}}{\partial V_{k}} V_{k} & \frac{\partial Q_{m}}{\partial V_{m}} V_{m} & \frac{\partial Q_{m}}{\partial \alpha_{CSC}} \\ \frac{\partial P_{m}^{\text{deter}}}{\partial \theta_{k}} & \frac{\partial P_{m}^{\text{deter}}}{\partial \theta_{m}} & \frac{\partial P_{m}^{\text{deter}}}{\partial V_{k}} V_{k} & \frac{\partial P_{m}^{\text{deter}}}{\partial V_{m}} V_{m} & \frac{\partial P_{m}^{\text{deter}}}{\partial \alpha_{CSC}} \end{bmatrix} \begin{bmatrix} \Delta \theta_{k} \\ \Delta \theta_{m} \\ \frac{\Delta V_{k}}{V_{k}} \\ \frac{\Delta V_{k}}{V_{k}} \\ \frac{\partial P_{m}^{\text{deter}}}{\partial V_{k}} & \frac{\partial P_{m}^{\text{deter}}}{\partial V_{k}} V_{k} & \frac{\partial P_{m}^{\text{deter}}}{\partial V_{m}} V_{m} & \frac{\partial P_{m}^{\text{deter}}}{\partial \alpha_{CSC}} \end{bmatrix} \\ (9)$$

Where $\Delta P_{km}^{\alpha_{TCSC}} = P_{km}^{reg} - P_{km}^{\alpha_{Tcsc}}$ is the active power mismatch for TCSC module. $\Delta \alpha_{Tcsc}$ is the incremental change in the TCSC firing angle.

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4.2.1 Advantage of firing angle of TCSC

In Reactance and Power Injection Model, The control power electronic devices like SCR, Thyristor, IGBT operates at static mode i.e at single firing angle condition. But in the Firing angle models, the amount of reactance is depends upon the firing angle. The amount of reactive power also vary depends upon Firing angle.

4.3 Fast Voltage Stability Index (FVSI)

Fast voltage stability index (FVSI) is formulated this as the measuring instrument in predicting the voltage stability condition in the system. Taking the symbols 'i' as the sending bus and 'j' as the receiving bus. Hence, the fast voltage stability index, FVSI [17] can be defined by:

$$FVSI_{ij} = \frac{4Z_{ij}^2 Q_j}{V_i^2 X_{ij}} \tag{10}$$

Where: **Zij**= line impedance

Xij = line reactance

Qj = reactive power at the receiving end

Vi = sending end voltage

The value of FVSI that is evaluated close to 1.00 indicates that the particular line is closed to its instability point which may lead to voltage collapse in the entire system. To maintain a secure condition the value of FVSI should be maintained well less than 1.00.

5. TEST CASES

The proposed method is used to analyze the different standard IEEE transmission network. The important parameters that can be determined by proposed methods are power flows, voltage profile of the buses , real and reactive power losses.

5.1 IEEE 14 Bus System

The single line diagram of IEEE 14 bus system is shown in the figure 4.which consists of 5 PV buses, and 11 PQ buses. The voltage profile and the power flow losses results of IEEE 14 bus system without installing TCSC are shown in the fig 5,fig 6,fig 7. The minimum voltage and maximum voltage in terms of p.u is shown in the table 1 without

installing of TCSC to the system



Figure 4 The single line diagram of IEEE 14 bus system

Table 1.Minimum and maximum voltages of IEEE 14 bus system

Minimum voltage(P.U)	Maximum Voltage(p.u)
1.01 at bus 3	1.09 at bus 8

The Real power and reactive power losses of IEEE 14 bus system are 9.68 Mw and 50.22 Mvar. The maximum real and reactive power losses through the branches of IEEE 14 bus system are 2.42 Mw and 10.19Mvar at line 2-3.

The placement series FACTS devices i.e, TCSC are determined by FVSI which is given at section 3.3. The FVSI for IEEE 14 bus is shown in table 2. From the table 2, the placement of the TCSC is decided by the highest value in the table, which is line 7-8 for single TCSC placement and lines 7-8 and 3-4 for double placement of TCSC. The effect of placing TCSC for IEEE 14 bus is shown in the figure 8 and fig 9, 10, 11, and 12

Table 2 FVSI for IEEE 14 bus system

From bus	To bus	FVSI
1	2	0.0250
2	3	0.1075
2	4	0.0019
1	5	0.0820
2	5	0.0262
3	4	0.1577
4	5	0.0038
5	6	0.2318
4	7	0.0974
7	8	0.1616
4	9	0.0185
7	9	0.0857
9	10	0.0013
6	11	0.1030
6	12	0.0490
6	13	0.0794
9	14	0.0112
10	11	0.0826
12	13	0.0328

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voltage is 1.004 p.u at bus 13 and the maximum voltage is 1.05 at bus 2. The reduction of real and reactive power losses are shown in the fig 9 and fig 10.



Figure 9.Comparative analysis of Real power losses of IEEE 14 bus with and without TCSC



Figure 10. Comparative analysis of Reactive power losses of IEEE 14 bus with and without TCSC





Figure 5 Voltage profile of IEEE 14 bus without TCSC

6 busnumb

1.04 1.03

1.0

1.01



Figure 6 Branch real power losses for IEEE 14 bus without TCSC



Figure 7. Branch reactive power losses of IEEE 14 bus without TCSC

5.2 Single TCSC Placement

The effect of single TCSC placement for the IEEE 14 bus system is detailed shown in the figure 8, figure 9, figure 10, figure 11 and figure 12



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Figure 12 Branch reactive power losses for IEEE 14 bus without & with TCSC

The firing angle, size and location of the TCSC is shown in table 3.

Table 3.	Comparative	analysis	of	IEEE	14	bus	with	and
without s	single TCSC							

Parameters	Without TCSC	With TCSC
Minimum	1.01 at bus 3	1.004 at bus
Voltage(p.u)		13
Maximum	1.09 at bus 8	1.05 at bus 2
Voltage(p.u)		
Real power	9.682	9.422
losses(MW)		
Reactive power	50.04	49.48
losses(MVar)		
Location of		7-8 line
TCSC		
TCSC firing		136.3
angle(deg)		
Size of		2.43
TCSC(kVar)		

With the inclusion of the another TCSC at the line 3-4 the power flows are further improved and losses are reduced which is shown in the table 4

Table 4. Comparative analysis of IEEE 14 bus with twoTCSCs and without TCSC

Parameters	Without TCSC	With TCSC
Minimum	1.01 at bus 3	1.006 at bus
Voltage(p.u)		10
Maximum	1.09 at bus 8	1.048 at bus
Voltage(p.u)		2
Real power	9.682	9.282

losses(MW)		
Reactive power	50.04	48.2
losses(MVar)		
Location of		7-8 line
TCSC		3-4 line
TCSC 1firing		136.3
angle(deg)		
TCSC2 firing		129.3
angle(deg)		
Size of		1.440
TCSC1(kVar)		
Size of		0.993
TCSC2(kVar)		



Figure 13 comparative voltage profile for IEEE 14 bus without & with two TCSC's





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Figure 16. Comparative analysis of Real power losses of IEEE 14 bus with and without two TCSC's



without TCSC with TCSC² Figure 17.Comparative analysis of Reactive power losses of IEEE 14 bus with and without two TCSC's 5.3 Test Case 2 :IEEE 30 Bus System



Figure18 Singleline diagram of IEEE 30 bus system.

The proposed firing angle model of TCSC are applied to IEEE 30 bus system which is shown in the fig 18. The voltage profile, real and reactive power losses, branch real and reactive losses without placing of TCSC and with the placing of single TCSC and two TCSCs are shown in the fig 19,20 & fig 21 and table 5 respectively.



Figure 19 voltage profile of IEEE 30 bus without and with single TCSC





Figure 21 Branch reactive power losses for IEEE 30 bus without & with single TCSC

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Table 5 Comparative system parameters of IEEE 30 buswith and without TCSC

Parameters	Without	With	With
	TCSC	TCSC	two
			TCSC
Minimum	0.966 at	0.966 at	0.964 at
Voltage(p.u)	bus8	bus 8	bus 8
Maximum	1.00 at	1.005 at	1.003 at
Voltage(p.u)	bus1	bus 1	bus 1
Real power	2.44	1.911	1.624
losses(MW)			
Reactive	8.99	7.84	5.22
power			
losses(MVar)			
Location of		12 -	12 -
TCSC		13line	13line
			4-12 line
TCSC 1firing		144.3	149.3
angle(deg)			
TCSC2 firing			114.8
angle(deg)			
Size of		2.72	1.94
TCSC1(kVar)			
Size of			1.35
TCSC2(kVar)			

After placing the TCSC to the IEEE 30 bus system at 12-13 line with size of 2.72 kVar at 144.3 degrees of firing angle. The real and reactive power losses are reduced to much extent. The voltage profile is improve to which is shown in figure 19. The effect of placing to another TCSC at the line 4-12 is shown in the Table 5.

5.4 Test Case 3: IEEE 57 Bus System



Figure 22 single line diagram of IEEE 57 bus system



Figure 23 Voltage profile of IEEE 57 bus with and without TCSC

Table 6 Comparative system parameters of IEEE 57 bus with and without TCSC

Parameters	Without	With	With
	TCSC	TCSC	two
			TCSC
Minimum	0.936 at	0.964 at	0.964 at
Voltage(p.u)	bus 31	bus 26	bus 8
Maximum	1.06 at	1.045 at	1.003 at
Voltage(p.u)	bus1	bus 1	bus 1
Real power	27.864	26.824	26.264
losses(Mw)			
Reactive	121.67	119.43	114.31
power			
losses(Mvar)			
Location of		1-15line	1 -15line
TCSC			1-17 line
TCSC 1firing		128.7	129.9
angle(deg)			
TCSC2 firing			127.8
angle(deg)			
Size of		3.92	1.84
TCSC1(Kvar)			
Size of			2.95
TCSC2(Kvar)			

After placing the TCSC to the IEEE 57 bus system the parameters are improved. The minimum voltage of the system is improved from 0.936 p.u at bus 31 to 0.964 p.u at bus 26 for single TCSC placement for 0.9618 at bus 26 for Two TCSCs. The reduction of power losses are shown in the table 6

5.5 Test Case 4 :IEEE 118 Bus System

The proposed method is applied IEEE 118 bus system. The single line diagram is shown in the

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fig 24.The improving of system parameters by placing single TCSC and two TCSCs are listed in table 7.



Figure 24 Single line diagram of IEEE 118 bus system.

Table 7 Comparative system parameters of IEEE 118 bus with and without TCSC

Without	With	With
TCSC	TCSC	two
		TCSC
0.943 at	0.957 at	0.955 at
bus 76	bus 55	bus 55
1.05 at	1.047 at	1.045 at
bus10	bus 9	bus 9
132.863	130.445	129.14
783.79	778.58	766.68
	25-27line	25 -
		27line
		23-32
		line
	147.4	133.3
		156.3
	4.672	2.74
		2.68
	Without TCSC 0.943 at bus 76 1 1.05 at bus10 1 132.863 783.79	Without TCSC With TCSC 0.943 at bus 76 0.957 at bus 55 1.05 at bus10 1.047 at bus 9 132.863 130.445 783.79 778.58 25-27line 147.4 4.672



Figure 25 Voltage profile of IEEE 118 bus with and without TCSC

The following tables shows the comparative analysis of Real and Reactive power loss and their reduction in percentage for various IEEE bus systems.

Table 8: Comparative Real Power Loss and theirreduction in percentage for various bus systems with &without TCSC

IEEE	Paramete	Without	With	With
Туре	r	TCSC	one	two
51			TCSC	TCSC'
				S
	Real	9.682	9.422	9.282
14 bus	Power			
syste	loss			
m	(MW)			
	Real		2.68 %	4.17 %
	Power			
	loss			
	reduction			
	(%)			
	Real	2.44	1.911	1.624
30 bus	Power			
syste	loss			
m	(MW)			
	Real		21.68	33.44
	Power		%	%
	loss			
	reduction			
	(%)			
57 bus	Real	27.864	26.824	26.264
syste	Power			
m	loss			
	(MW)			

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	Real Power loss reduction (%)		3.7 %	5.74 %	
118 bus syste m	Real Power loss (MW)	132.863	130.44 5	129.14	5.
	Real Power loss reduction (%)		1.81 %	2.80 %	Tł se me tes

Table 9: Comparative Reactive Power Loss and theirreduction in percentage forvarious bus systems with &without TCSC

IEEE Type	Parameter	Without TCSC	With	With
Type		TUSC	TCSC	TCSC's
	Reactive	50.04	49.48	48.2
14 bus	Power			
system	loss			
	(MVAR)			
	Reactive		1.11	3.67 %
	Power		%	
	loss			
	reduction			
	(%)			
	Reactive	8.99	7.84	5.22
30 bus	Power			
system	loss			
	(MVAR)			
	Reactive		12.79	41.93
	Power		%	%
	loss			
	reduction			
	(%)			
57 bus	Reactive	121.67	119.43	114.31
system	Power			
	loss			
	(MVAR)			
	Reactive		1.84	6.04 %
	Power		%	
	loss			
	reduction			
110	(%)	702 70	77 0.50	766.60
118	Reactive	783.79	778.58	/66.68
bus	Power			
system	loss			
	(MVAR)			

Reactive		0.66	2 18 %
Power		%	2.10 /0
loss			
reduction			
(%)			

5. CONCLUSION

The Firing Angle Model of Thyristor controlled series capacitor (TCSC) using Newton Raphson method has been implemented on different IEEE test systems to investigate the performance of power transmission line in absence as well as in presence of single and double TCSC devices. It is found that during presence of single TCSC there is reduction of real and reactive power losses and also voltage profile improvement as compared to absence of TCSC and with double TCSCs also there is reduction in losses but voltage profile is more or less constant .Based on this firing angle model of single TCSC is sufficient towards voltage improvement

The results obtained by application of the N-R technique during firing-angle model based control are found to be very much similar with the reactance model. It is noted that as compared to Reactance method, the implementation of the firingangle based control of TCSC using NR technique is much easier. It is also noted that the firing-angle calculation of TCSC using firing-angle model based control is much easier as compared to impedance model based control.and this proposed method is better than earlier published works like reactance models and power injection models.

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