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# A NOVEL PROPAGATION TECHNIQUE IN FREE SPACE OPTICAL COMMUNICATION

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## ABSTRACT

This paper focus on mitigating the atmospheric turbulence effect in free space optical communication using a dual diffuser modulation (DDM) technique. The most deteriorate the FSOC is scintillation where it affected the wave front cause to fluctuating signal and ultimately receiver can turn into saturate or loss signal. DD approach enhances the detecting bit '1' and bit '0' and improves the power received to combat with turbulence effect. The performance focus on Signal-to-Noise (SNR) and Bit Error Rate (BER) by using the Kolmogorov's scintillation theory. The numerical result shows that the DD approach improves the range where estimated approximately 40% improvement under weak turbulence and 80% under strong turbulence.

Keywords: Dual Diffuser Modulation, Free Space Optical Communications, Atmospheric Turbulence

### 1. INTRODUCTION

Free space optical communication is an attractive alternative over fiber optical communication where provides high bandwidth, fast-installation and high security [1]. However FSOC is suffering with the atmospheric turbulence which can lead the laser beam (a) beam wanders, (b) beam spreading and (c) scintillation. The beam wanders is refer to the condition beam deflected randomly through the changing refractive index oddities. Meanwhile beam spreading refers to conditions where the beam spread more than diffraction estimated predict. Lastly, for scintillation it affected the phase front of the beam can vary and resulting fluctuation irradiance or well know as intensity signal. The combination of all these effect will cause both the and temporal experience random spatial fluctuations in refractive index of the variability of element factor such as temperature, pressure and wind variations along the optical propagation path through the channel [2-9].

# 2. DUAL-DETECTION APPROACH

The system employs two transmitters and On-Off Shift Keying (OOK) modulation as reference for conventional system. When the first transmitter sends binary 'l', the second transmitter which is set in compliment condition will send the binary '0' in simultaneously and vice versa. Meanwhile at the receiver part, the signal will go through the subtractor for the differential detection process. Here we assume the ideal subtractor condition where no losses signal occurs during subtraction. Therefore, the signal output will become bit '1' for sending binary '1' and bit '-1' for sending binary '0'. This condition leads to modification on conventional OOK modulation particularly in improving signal threshold detection and reduce power loss.

## 3. THEORY OF ANALYSIS

Based on the Rytov theory, the field of the plane wave in random media is given [10].

$$E_o(\vec{r}) = A_o(\vec{r}) \exp (i\varphi_o(\vec{r}))$$
(1)

where  $A_o(\vec{r})$  is amplitude of the laser beam in the atmosphere without the presence of turbulence.  $\varphi_o \text{and } E_o(\vec{r})$  are the phase and laser beam profile, respectively. However in the presence of turbulence, the scintillation effect is more dominant which change the refractive index and as a consequence lead to intensity fluctuations. Therefore this condition directly change the laser beam profile [10,11].

$$E_o(\vec{r}) = A_o(\vec{r}) \exp(i\varphi_o(\vec{r})) = E_o(\vec{r}) \exp(\Phi)$$
(2)

where A(r) is amplitude of the laser in the turbulence atmospheric,  $\Phi$  is the exponential factor due to turbulence given as:

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$$\Phi = \operatorname{Ln}\left(\frac{A(\vec{r})}{A_{o}(\vec{r})}\right) + i[\phi(\vec{r}) - \phi_{o}(\vec{r})]$$
$$= \chi + iS$$
(3)

where  $\chi$  represent the fluctuation of the log-amplitude of the field and S is the phase fluctuations. This equation predicts a fluctuation in intensity and phase of receiving signal due to turbulence is weak and assuming that the refractive index structure coefficient  $C_n^2$  is symmetrical along the beam path, Rytov suggested a variance for the log-irradiance given

$$\sigma_{\ln IR}^{2} = \langle (\ln I - \langle \ln I \rangle)^{2} \rangle = 1.23 C_{n}^{2} k^{7/6} L^{11/6}$$
(4)

as [6]:

where k is wave number,  $k=2\pi/\lambda$ , L is propagation distance and *I* is intensity signal. However in practical FSOC for plane wave in weak condition and for the symmetrical turbulence of the log-amplitude fluctuation is given by [9,10]:

$$\langle \chi^2 \rangle = 0.31 C_n^2 k^{7/6} L^{11/6}$$
(5)
By neglecting other source noises, we assume the

By neglecting other source noises, we assume the only dominant noise source is atmospheric turbulence which give the log-amplitude as:

$$\chi = \operatorname{Ln}\left(\frac{A(\vec{r})}{A_{0}(\vec{r})}\right) = \ln\left[\frac{A_{0}(\vec{r}) + A_{n}(\vec{r})}{A_{0}(\vec{r})}\right] = \ln\left(1 + \varepsilon\right)$$
(6)

where  $A_n(\vec{r})$  is the amplitude of noise and  $\varepsilon = A_n(\vec{r})/A_o(\vec{r})$  is the ratio of the amplitude of noise to signal. Both SNR and BER are used to evaluate the quality of the communication systems. The BER performance depends on the average received power, the scintillation strength, receiver noise and threshold bits (1 or 0) detection. Here the dual-detection approach is a modification from the conventional OOK detection that using direct detection where improves power received and eliminated the need of complex adaptive threshold. The SNR for case only dominant turbulence noise in term of mean signal and noise intensity  $I_o$  and  $<I_n>$  given as:

$$SNR = \frac{I_0}{\langle I_n \rangle} = \frac{\langle A_0^2(\vec{r}) \rangle}{\langle A_n^2(\vec{r}) \rangle} = \frac{1}{\langle \varepsilon^2 \rangle}$$
(7)

So, the BER for OOK modulation can be written as [10]:

$$BER = \frac{1}{2} erfc\left(\frac{Q}{2}\right) = \frac{e^{\left(-\frac{Q^2}{2}\right)}}{Q\sqrt{2\pi}}$$

(8) where *erfc()* the complementary error function and Q is defined as:

$$Q = \frac{A_1 - A_0}{\sigma_1 + \sigma_0}$$

(9)

Where  $A_1$ ,  $\sigma_1$  are the mean signal and noise at the receiver for a bit '1' respectively, and for a bit '0' the mean signal and noise are denoted as  $A_0$ ,  $\sigma_0$ .

For conventional OOK bit detection,

$$A_{1} = \langle A_{o}(\vec{r}) \rangle_{A_{0}} = 0, \text{ and } \sigma_{1} + \sigma_{0} = \langle A_{n}(\vec{r}) \rangle$$
$$SNR = \frac{\langle A_{o}^{2}(\vec{r}) \rangle}{\langle A_{n}^{2}(\vec{r}) \rangle} = Q^{2}$$
(10)

However for case dual-detection approach,

$$A_{1} = \langle A_{o}(\vec{r}) \rangle_{and} \quad A_{0} = \langle -A_{o}(\vec{r}) \rangle \quad \text{, and} \quad \sigma_{1} + \sigma_{0} = \langle A_{n}(\vec{r}) \rangle$$
$$SNR = \frac{\langle 2A_{0}^{2}(\vec{r}) \rangle}{\langle A_{n}^{2}(\vec{r}) \rangle} \tag{11}$$

For weak turbulence model,  $\varepsilon$  is very small thus (6) is given as [10]:

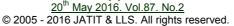
$$\chi = \ln (1 + \varepsilon) \approx \varepsilon$$
(12)

When turbulence is strong, the SNR and  $\chi$  can be relating using Tailor series for function  $f(x) = (e^x - 1)^2$  and can be approximately to:

$$SNR = \frac{1}{\langle \chi^2 + \chi^3 + \cdots \rangle} \cong \frac{1}{\alpha \langle \chi^2 \rangle}$$
(13)

#### 4. **RESULT AND DISCUSSION**

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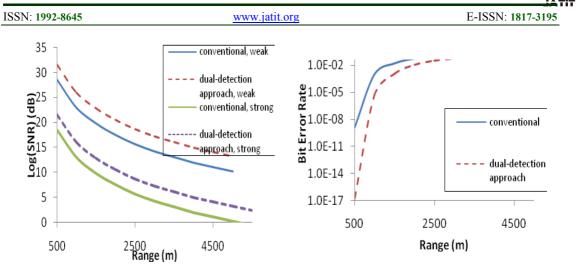


Fig. 1: SNR (Db) Versus Range Propagation

In this numerical result section, we use parameters wavelength 1550nm,  $Cn^2 = 1 \times 10^{-15}$  for weak turbulence and  $Cn^2 = 1 \times 10^{-14}$  for strong turbulence and range propagation 5km for all calculations. In Fig. 1 shows the SNR in dB response to turbulence strength. From the graph pattern, we can know that as the distance increase, the SNR also decrease. The SNR is influenced by turbulence strength. Therefore by using the dual-detection approach the SNR can improve approximately 3 dB or 17% compare to the conventional approach.

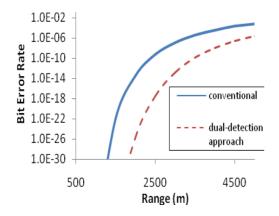


Fig. 2: BER Versus Range Propagation For Weak Turbulence Condition

In Fig. 2 shows the BER versus range propagation in response to weak turbulence. By using the standard communication for acceptable BER at  $10^{-9}$ , the conventional approach only reaches the range propagation 2.5km but the dual-detection approach can reach further to 3.5km which approximately 40% improvement.

Fig. 3: BER Versus Range Propagation For Strong Turbulence Condition

In Fig. 3 shows the BER versus range propagation for strong turbulence condition. Here we assume the value of  $\alpha$  is 2. In range of good quality communication (BER=10<sup>-9</sup>), the conventional approach only reaches the range propagation about 0.5km but the dual-detection approach still manage to reach 0.9km where about 80% improvement.

# 5. CONCLUSION

In this paper, we focus on the scintillation effect deteriorate the performance of FSOC. We make a comparison performance in term of SNR and BER between two approach that are conventional (OOK-direct detection) and dual-detection. Analyses that carried out shows that the proposed dual-detection approach improve the margin SNR and BER. The range of propagation can be predicted improved 40% in weak turbulence and 80% in strong turbulence.

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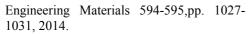
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