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ANALYSIS ON PROBLEMS AND MOTIVATION OF POST 90S UNDERGRADUATES' ETIQUETTE

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ABSTRACT

At present, the post 90s has become the main part of the college students. The cultivation of excellent college students is not only to develop students' professional skills, but also to cultivate them with etiquette. However, at present the etiquette education in China for the post 90s college students is deficient. In this thesis, based on the multivariate stepwise regression and the Logistic regression in multivariate analysis, the multivariate stepwise regression model and multi-level Logistic regression model are established. At the same time, with the usage of SPSS and SAS software, this thesis carries on a detailed analysis of the post 90s college students' etiquette problems and influencing factors, and obtains a more scientific and objective result.

Keywords: The Post 90s, Multivariate Analysis, Stepwise Multiple Regression, Logistic Regression

1. INTRODUCTION

Multivariate analysis is mainly study relationship among the factors as well as the statistical analysis methods of individuals which contain these factors. It includes: multiple linear regression, discriminate analysis, cluster analysis, principal component analysis, factor analysis, canonical correlation, logistic regression, and cox regression.

Regression analysis is a quantitative study, which mainly studies the dependent degree of the dependent variable on the independent variable, analyses the correlation among the variables and provides basic methods for forecasting. Multiple linear regression studies the dependent degree of one dependent variable on several independent variables, it mainly includes the following methods: full-model, forward selection, backward selection, stepwise selection, and the full-model method has been widely used, its model is as follows:

$$y = \beta_0 + \beta_1 x_1 + \beta_2 x_2 + \dots + \beta_p x_p + \varepsilon$$

y is a dependent variable, $x_1, x_2 \cdots x_p$ are independent variables, β_0 is the constant term, $\beta_1, \beta_2 \cdots \beta_p$ are undetermined parameters (partial regression coefficients), ε is the random error (residual). $\beta_1, \beta_2 \cdots \beta_p$ represent the average change quantity of each y, which was caused by one unit change of a independent variable when other independent variables are fixed. Based on the fitting regression of the preselected independent variables and one dependent variable, tests are carried out on the effect of each independent variable on the dependent variables' changes. However, some of the results may statistically significant, some may not. Then how to pick and choose those factors which are significant on dependent variables? Usually, the stepwise regression analysis is adopted. According to the size of the role of each independent variable in the equation, introducing them to the equation from big to small. Carrying out a statistical test for each introduced independent variable(including the introducing one) in the regression equation when introducing an independent variable to the regression equation, if any of the independent variables has no statistical then eliminating it. Keeping significance, eliminating the independent variables that has no statistical significance in the equation until there is no independent variables for introducing and non for elimination. Thus those independent variables that may statistical significant for y are all introduced back to the equation, those independent variables which are not statistical significant for *y* are eliminated.

The main function of discriminant analysis is classification that has been widely used, for example, in medical research, using discriminant analysis based on a patient's various symptoms, signs and laboratory test results to identified the disease; in athletes selection, based on the shape of the athletes, athletic performance, physiological indicators, psychological quality indicators and genetic factors, discriminant analysis will help a lot in the athletes selection, i.e.to determine whether a

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athlete is suitable for further training in a sports team. Discriminant analysis requires that the variable should be a binary classification or multiclassification attribute variable, then calculating it with Fisher and Bayes criterion. The discriminant function is:

 $z = b_1 x_1 + b_2 x_2 + \dots + b_k x_k$

Discriminant threshold is used for testing the discriminant ability of discriminant function in practical application.

$$\begin{cases} y_0 = \left[n_1 \overline{y}(a) + n_2 \overline{y}(b) \right] / \left[n_1 + n_2 \right] \\ \overline{y}(b) < y_0 < \overline{y}(a) \end{cases}^{\circ}$$

Thus, if $y > y_0$: A category; if $y < y_0$: B category.

Multiple linear regression requires y to be a normally distributed continuous random variable. If the independent variable is a categorical variable or a continuous variable then the linear regression analysis is not suitable for analyzing and the Logistic regression should be adopted. Logistic regression belongs to probabilistic regression, which is used for analyzing the relationship between the probability of certain events and their variables. Logistic regression is mainly implicated in the case that the dependent variables are binary variables (or multi-classification). Its model is as follows:

$$y = \ln \frac{p_j}{1 - p_j} = a + \sum b_j x_{ij}$$

 p_j is the probability of an event under the $x_{ij} = (x_{1j}, x_{2j}, x_{3j}, \dots, x_{mj})$ condition, $1 - p_j$ is the improbability of an event, $i = 1 \sim m$, *m* is the independent variables number, *a* is the intercept and b_i is the estimating parameter. The curve of Logistic regression equation is S-type, the maximum predictive value approaches 1, the minimum value approaches 0.

cox regression is also known as the proportional risk model. It uses regressions to express the relationship between the survival time and different factors. It mainly solves effects of the multi-factors (age, occupation, smoking, alcohol consumption, illness, treatment, etc.) upon the survival (recovery) time. The risk function is:

$$h(t) = h_0(t)e^{(b_1x_1 + b_2x_2 + b_3x_3 + \dots + b_px_p)}$$

h(t) is the risk function which also is known as the risk rate or instantaneous mortality; $h_0(t)$ is the datum risk function, it is a time-related arbitrary function.

Multivariate analysis theory is clear and simple, which has been widely used in practical applications. In this thesis, SPSS and SAS softwares are adopted for a multivariate analysis of the post 90s college students' etiquette.

2. PRESENT SITUATION ANALYSIS

Along with the expansion of enrollment in colleges and education's popularization, the post90s has become the main part of the college students. They are living in the social transition period and their value orientations, life styles and ideologies are diversified, however, etiquette education for the post 90s college students is insufficient. In China, there are less than 17% colleges and universities open etiquette course, only 48% colleges and universities offer etiquette related courses, The number of the teachers major in etiquette is only 5.5% of the total number of etiquette lessons teachers. The etiquette class accounted for less than 0.7% of all college classes. These data indicate that the issue of the post 90s college students' etiquette is quite severe.

Developed countries have payed more attention to students' comprehensive training, they not only develop students' professional skills but also advocate the etiquette training . However , the etiquette education in most colleges and universities of China is still imperfect. The training philosophy in some colleges is still stuck in a purely professional knowledge teaching, those school neglect the necessity of etiquette education, and more worse, some universities even put etiquette education courses as elective courses ,besides the teaching period is short so the effect is limited.

3. STEPWISE MULTIPLE REGRESSION ANALYSIS

In this thesis, the post 90s undergraduates in Handan City are selected as the research object. By using the stratified cluster sampling method, 200 students are randomly selected, of which there are110 boys and 90 girls. Based on the self-designed questionnaire of college students etiquette scale and the influencing factors, a investigation is conducted. The split-half reliability of the scale is 0.920, the test-retest reliability is set from 0.773 ~ 0.883 and the homogeneity reliability is set from 0.655 ~ 0.928. The scale contains 56 items and 5 levels, the more scores a student get show the more problems the student have. Scores are shown in Table 1.

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item	score	item	score
1	1 918+1 0/3	20	2505 ± 1243
2	1.916 ± 1.049	20	2.505 ± 1.245
2	2.270±1.237	30	5.104±1.148
3	2.113±1.194	31	1.952±1.073
4	2.804 ± 1.062	32	1.995 ± 1.195
5	1.490 ± 0.947	33	2.660±1.367
6	1.895 ± 1.135	34	2.067 ± 1.163
7	2.384 ± 1.074	35	1.983 ± 1.243
8	2.428 ± 1.219	36	2.303 ± 1.300
9	2.112 ± 1.043	37	1.828 ± 1.043
10	2.137 ± 1.173	38	2.328 ± 1.219
11	1.983 ± 1.051	39	2.764 ± 1.281
12	2.804 ± 0.945	40	3.081±1.063
13	2.665 ± 1.043	41	3.153±1.083
14	3.075 ± 0.983	42	3.277 ± 1.306
15	3.172 ± 1.159	43	3.103 ± 1.396
16	2.236 ± 1.043	44	2.155 ± 1.243
17	2.031±1.128	45	1.718 ± 0.922
18	1.999 ± 1.143	46	2.558 ± 1.023
19	1.918 ± 1.066	47	1.801 ± 1.009
20	3.059 ± 1.171	48	1.883 ± 1.068
21	1.894 ± 1.126	49	3.048 ± 1.091
22	2.954±1.113	50	2.836±1.219
23	2.003±1.135	51	3.236±1.056
24	1.846 ± 1.062	52	2.108±1.222
25	2.221±1.266	53	1.958±1.063
26	2.618 ± 1.264	54	2.415 ± 1.299
27	3.377±1.167	55	2.086 ± 1.220
28	2.189±1.115	56	2.977 ± 1.029

Table 1: Scores Of The 3000 Undergraduates

Setting the Students' recognition and satisfaction on the etiquette education as independent variables. The assignment of cheating on exams : often = 4, normal = 3, occasionally = 2, never = 1; the assignment of two categorical variables :Yes = 2, No = 1; the assignment of etiquette course satisfaction : < 40% = 1, 40 % to 65% = 2, 65 % = 3, > 85% = 4; putting the dummy variable form of the multiple variable into the model, then Table 1 is gained by using the SPSS software. Setting the scores gained by the students as dependent variables, combining with the multiple stepwise regression analysis, the results of the influencing factors of the post 90s college students' etiquette are gained. Details are shown in Table 2.

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Table 2 : Results C	of The Influencing	Factors Of 2	The Post 9	00s College S	tudents' Eti	quette
independent variables		β	S_{β}	standardiz ed eta	t value	P value
constant term	95.16	6.240	-	15.248	0.000	
littering	Yes/No	-5.254	1.668	-0.070	-3.155	0.002
self-centered	Yes/No	-6.980	2.800	-0.059	-2.497	0.012
Self-disciplined, respec for others	t Yes/No	-2.178	0.820	-0.061	-2.671	0.008
copying homework	Yes/No	-3.412	1.259	-0.060	-2.670	0.007
1 2 3 4	occasionally / never	-9.369	2.322	-0.157	-4.032	0.000
cheating in the exam	normal / never often/ never	-11.161 -15.450	2.680 3.651	-0.156 -0.121	-4.163 -4.241	0.000 0.000
satisfaction with the	65%~85%	-3.832	1.360	-0.066	-2.823	0.006
etiquette courses	>85%	-4.148	2.350	-0.043	-1.759	0.077
helping each other	Yes/No	-3.295	1.345	-0.060	-2.472	0.012
social practice	Yes/No	-10.032	1.971	-0.115	-5.096	0.001
talking loudly	Yes/No	-6.929	1.258	-0.132	-5.563	0.001

4. LOGISTIC REGRESSION ANALYSIS

Logistic regression belongs to probabilistic regression. If the independent variables are x_1, x_2, \dots, x_m , then the probability of a event is p, the improbability is 1-p, the ratio of them is

 $odds = \frac{p}{1-p}$, the regression model is: $Logit(p) = \ln \frac{p}{1-p}$ $= \beta_0 + \beta_1 x_1 + \beta_2 x_2 + \dots + \beta_m x_m + \varepsilon$

 β_0 is a constant item, $\beta_1, \beta_2, \dots, \beta_m$ is the summation of the regression coefficients, ε is both the error item and the random variable, $E(\varepsilon) = 0$, $var(\varepsilon) \ge 0$

if y is a directional variable, the object can be divided into k levels: $y = 1, 2, \dots, k$, the quantitative indicators of students investigating are x_1, x_2, \dots, x_m . Setting $p_i = P(y \ge i), i = 1, 2, \dots, k$, then the multi-level logistic regression model is established:

$$\ln \frac{p_i}{1-p_i} = \beta_{i0} + \beta_1 x_1 + \beta_2 x_2 + \dots + \beta_m x_m + \varepsilon$$

, $i = 1, 2, \dots, k.$

Firstly, investigating the quantitative indicators of some students: x_1, x_2, \dots, x_m , secondly, scoring

the level y by experts, finally the estimated values $\beta_{i0}', \beta_1', \beta_2', \dots, \beta_m'$ of the regression coefficients $\beta_{i0}, \beta_1, \beta_2, \dots, \beta_m$ are gained. Setting x_1, x_2, \dots, x_m into the multi-level logistic regression model, then the achieving ability of each level which belongs to each investigated student is obtained.

In this thesis, 27 post 90s college students of a university are selected as the research sample. Firstly, dividing the students' performance evaluation of a academic year into five aspects: age x_1 , the performance in class x_2 , the performance in dormitory x_3 , social practice x_4 and the performance in library x_5 . As for age, 1 stands for the age from 19 to 20, 2 stands for the age from $20 \sim 21$, 3 stands for the age in $21 \sim 22$; as for the performances in class, dormitory and library, 0 means bad, 1 means general, 2 means good, 3 means excellent; for social practice, 0 indicates no, 1 mean yes. There are three grades, 1 is the improving type, 2 is the qualified type, 3 is the excellent type. Besides three students are detained for data forecast test, the data can be seen in table 3.

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Table 3: Evaluation Sheet						
student	x_1	<i>x</i> ₂	<i>x</i> ₃	x_4	<i>x</i> ₅	у
1	1	3	0	0	2	2
2	2	3	1	0	1	1
3	1	3	1	1	2	3
4	2	3	1	0	2	2
5	3	2	1	0	2	2
6	1	2	0	0	2	1
7	1	3	3	0	3	3
8	2	3	3	0	2	2
9	1	3	1	0	3	3
10	1	3	2	1	2	1
11	1	2	0	1	2	2
12	2	3	0	0	2	1
13	1	2	3	0	1	2
14	1	3	1	1	3	2
15	2	2	1	1	3	2
16	2	3	2	0	3	3
17	1	3	0	1	2	1
18	3	1	2	0	3	2
19	1	2	1	0	2	1
20	2	2	2	0	2	1
21	3	1	3	0	3	2
22	2	3	1	0	1	2
23	1	3	0	1	1	2
24	2	3	0	0	2	1
25	1	2	3	1	2	
26	2	2	0	0	1	
27	1	3	4	0	2	

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Setting *y* as the categorical variables and setting x_1, x_2, \dots, x_m as independent variables, the multilevel logistic regression model is established. Using the SAS software and the maximum likelihood estimating method to calculate the regression coefficient:

$$\beta_{20}' = -15.4072, \beta_{2}' = 2.1828, \beta_{3}'$$
$$= 3.2153, \beta_{4}' = 6.2463, \beta_{5}' = 4.4112, \beta_{30}' = -2$$

Thus the regression equation is:

$$\ln \frac{p_3}{1 - p_3} = -25.2319 + 2.1828x_2 + 3.2153x_3 +$$

$$\ln \frac{p_2}{1 - p_2} = -15.4072 + 2.1828x_2 + 3.2153x_3 + 6.2463x_4 + 4$$
[2]

The possibility for students who participate in social practice to achieve outstanding *odds* type is 516 times higher than those who are not take part in social practice, The possibility for students who are one grade higher in the performance in library to achieve outstanding *odds* type is 82 times higher than those who are in a lower grade; the possibility for students who are one grades higher in the performance in dormitory to achieve outstanding *odds* type is 25 times higher than those who are in a lower grade; the possibility for students who are one grade higher in the performance in class to achieve outstanding *odds* type is 9 times higher than those who are in a lower grade.

Finally, using the SAS software to forecast test the detained three students. The result is shown in Table 4.

Table 4: Forecast Te	est
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Obs	<i>x</i> ₁	<i>x</i> ₂	<i>x</i> ₃	<i>x</i> ₄	<i>x</i> ₅	у	Level	yhat
41	2	1	3	1	1	3	3	0.40152
42	3	1	1	1	3	2	2	0.99992
43	3	2	1	0	3	2	2	0.00130
44	1	3	1	1	2	2	2	0.96002
45	3	2	1	0	3	1	1	0.00002
46	3	2	1	0	1	1	2	0.22572
47	2	3	1	0	0	3	2	0.00006
48	0	3	1	0	2	2	2	0.49092
49	2	0	2	0	1		3	0.00001
50	2	0	2	0	1		2	0.00131
51	1	1	3	0	2		3	0.00132
52	3	1	1	0	2		3	0.96004

The results is relatively reasonable and the model is in line with the actual situation.

5. CONCLUSION

This thesis by using the multi-level logistic regression model, analyses the problems and the influencing factors of the post 90s undergraduates' 5.2316tiquette. The results of this study is scientific and objective.

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$$6.2463x_4$$
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