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EVALUATING QAOA AND QSVM FOR OPTIMIZATION AND MACHINE LEARNING ON CLASSICAL AND QUANTUM

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ABSTRACT

The ability of quantum computing to transform multiple domains, such as cryptography, optimization, and machine learning, has been recognized. This paper describes how quantum algorithms, such as QAOA, can be applied to solve the TSP and QSVM for MNIST. We want to examine how quantum algorithms compute complex problems and distinguish their performance from classical computing systems. We use quantum processors from IBM and classical computing to tackle simulation and optimization tasks, respectively. The research revealed that QAOA gives close-to-optimal outcomes for the TSP, running much faster than classical algorithms. At the same time, QSVM still performs well in digit classification with only a slight decrease in accuracy. Nevertheless, training quantum neural networks requires more time, showing that hardware should be upgraded. This work points out how quantum computing might play a significant role in helping with optimization and machine learning while explaining the present problems and possibilities for quantum algorithms and hardware. This study indicates that if error correction techniques and hardware are improved, quantum computing can help solve everyday challenges.

Keywords: *Quantum computing, Quantum Approximate Optimization Algorithm (QAOA), Quantum Support Vector Machines (QSVM), Traveling Salesman Problem (TSP), MNIST dataset, Hybrid quantum-classical models*

1. INTRODUCTION

It changes the traditional way problems in computing are tackled. Bits are the only type of data in classical computers, but quantum computers use qubits, which follow quantum mechanics and happen to be in multiple states at once. Because of this ability, quantum computers complete some kinds of tasks much faster than classical computers. Research on quantum computing is thriving because it could reshape cryptography, optimization, artificial intelligence, and machine learning [1], [2].
Ever since the appearance of Shor's algorithm, quantum computing has captured the interest of many users, mainly because it showed that a quantum computer could factor large numbers much faster than any existing algorithms, putting some encryption schemes at risk [3]. Similarly, Grover's algorithm helped search unstructured data twice as fast when solving specific search and optimization problems [4]. Because of these changes, people can now do secure communications and process vast amounts of data, thanks to AI and machine learning [5], [6].
Even so, fulfilling the promise of quantum computing is still a challenge scientists continue to deal with. Shor's and Grover's quantum algorithms depend heavily on reliable hardware and have problems with unwanted errors that must be corrected. The strength of a quantum computer

depends significantly on its qubits, how strongly they are coherent over time, and the errors-reducing algorithms applied [7]. As a result, it is essential to examine novel algorithms, error correction methods, and mixes of quantum and classical systems [8], [9]. Here, we analyze how different quantum computing algorithms, such as Shor's, Grover's, and the Quantum Phase Estimation (QPE) algorithm, can handle more complex computational tasks than classical methods. This work focuses on comparing the theoretical benefits of quantum algorithms versus classical counterparts and then studying the difficulties in putting these algorithms into practice on current quantum computers. Analyzing these algorithms in simulations and inspecting present-day quantum computer capabilities let us explore how quantum computing operates now and where it might head in the future [11].

First, this research reviews the main quantum algorithms and then examines what today's quantum hardware is capable of. In addition, we consider quantum error correction an important area that helps fight common inaccuracies in quantum systems. Moreover, we examine improvements in recent platforms for quantum software development, such as IBM's Qiskit, which allows users to test quantum algorithms on real quantum hardware. By using this broad approach, we can learn both how quantum computers work and what problems need to be addressed for their algorithms to excel.

Despite rapid progress in quantum algorithms and hardware, there remains limited empirical evaluation of hybrid quantum–classical models on practical optimization and machine learning benchmarks under current NISQ (Noisy Intermediate-Scale Quantum) constraints. Existing studies often focus either on theoretical speedups or small-scale simulations without systematic comparison against classical baselines.

The problem selection in this study was guided by two criteria: (i) relevance to near-term quantum advantage, and (ii) availability of well-established classical benchmarks for fair comparison. Based on these criteria, the Traveling Salesman Problem (TSP) was selected for combinatorial optimization evaluation, and the MNIST dataset was chosen for quantum machine learning validation.

The literature screening process prioritized peer-reviewed articles published in the last decade focusing on QAOA, QSVM, hybrid models, and quantum optimization performance analysis. Studies lacking experimental comparison or real-hardware validation were excluded to ensure relevance and methodological rigor.

The primary contribution of this study lies in systematically evaluating hybrid quantum–classical algorithms for both optimization and machine learning within a unified benchmarking framework. Existing literature highlights theoretical advantages of QAOA and QSVM; however, empirical validation on current hardware with structured performance comparison remains limited.

This work addresses gaps related to (i) lack of consolidated evaluation across multiple quantum algorithms, (ii) insufficient benchmarking against classical baselines under identical datasets, and (iii) limited discussion on hardware-imposed scalability constraints.

Problem Statement:

Current quantum algorithms demonstrate theoretical computational advantages; however, their practical effectiveness under NISQ hardware constraints remains insufficiently validated for real-world optimization and machine learning tasks.

Research Questions:

1. How does QAOA perform relative to classical optimization algorithms in terms of solution quality and execution time?
2. Can QSVM achieve competitive classification accuracy compared to classical SVM under current hardware constraints?
3. What trade-offs exist between circuit depth, execution time, and performance quality in hybrid quantum-classical systems?

Organization of the Paper

This study is divided into sections, with Section 2 looking at previous work on quantum algorithms such as QAOA, QSVM, and hybrid models. Section 3 discusses the datasets, quantum algorithms, mathematical models, and experimental setups. In Section 4, the authors show the results by comparing the performance of quantum and classical machines using metrics such as speed, correctness, and optimization. In Section 5, the paper briefly discusses the results and what was missing and explains what further research could do to apply quantum computing more effectively in the real world.

2. RELATED WORK

In recent years, much work has been done to create quantum algorithms expected to work faster than traditional analogs. Quantum optimization has gained a lot of interest. Methods such as QAOA are offered to solve classical combinatorial optimization issues such as the TSP and the max-cut problem. QAOA was presented by Farhi et al. [14] as a hybrid approach that, because of quantum superposition and entanglement, may surpass existing classical algorithms. Although QAOA fulfills many expectations, it is still new and works differently when error-corrected qubits aren't used and parameters aren't well chosen [15].

QML is also gaining recognition for boosting how quickly data is processed. There are reports that quantum computers can scan and process big datasets more efficiently than traditional computing methods. Schuld and Killoran [16] have examined the value of quantum algorithms for machine learning by concentrating on QSVM and QNN. These scientists note that QML is capable of far quicker results for some machine learning tasks yet still struggling with scaling due to the limited qubits and the consistent noise in quantum systems [17].

Apart from QAOA and QML, other quantum methods in linear algebra, such as the HHL algorithm, have come into focus. Current evidence indicates that the HHL algorithm [18] can solve linear systems at an exponential speed compared to classical methods. This kind of development can benefit scientific simulations, financial modelers, and people analyzing data. HHL has also been explored for how it might be used in machine learning, mainly to resolve regression issues efficiently [19].

The main topic of quantum computing research is still quantum error correction (QEC). Because qubits easily make mistakes, QEC plays an essential role in allowing quantum computers to grow larger and be more reliable. In Shor's code [20], data is protected from any arbitrary qubit error by encoding it into more qubits. Innovations like the surface code [21] have concentrated on making error corrections using less quantum memory, an essential quality of a quantum computer. These methods are necessary for big quantum applications because they address problems such as decoherence and unwanted noise.

In addition, quantum phase estimation (QPE) has become a valuable way of contributing to quantum computing. QPE [22], the first proposed by Kitaev, greatly helps assess the eigenvalues of a unitary operator, providing essential input for algorithms such as Shor's and QAOA. Now, chemistry simulations make use of the theory, requiring good estimation of eigenvalues to model biological and chemical activities [23].

Exploring quantum algorithms would not have been possible without the growth of quantum hardware. Thanks to the IBM Quantum Hummingbird and Eagle, runners can now execute well-known algorithms Shor and Grover on working quantum hardware from IBM [24]. Experimental testing of quantum algorithms has become possible because of these breakthroughs, but it is still difficult to scale them up for many problems and qubits. Many teams are working with superconducting qubits, trapped ions, and photonics to address these issues and improve how well their qubit gates and coherence work [25].

The theory and practical use of quantum algorithms are essential in the real world. As an illustration, researchers have applied Grover's algorithm on simple quantum devices to confirm it is faster by a quadratic factor than ordinary methods on unorganized searches. Yet, it is still challenging for the algorithm to work well because of constraints in both the coherence periods and the accuracy of quantum gates. For example, Zhang et al. [26] have shared ideas for enhancing Grover's algorithm with improved noise tolerance. Still, these ideas will be only helpful once new developments occur in error correction and noise control.

Besides, quantum cryptography has been studied extensively because it protects against computer Bennett-Brassard protocol [27], an example of QKD, which has been shown in various real quantum networks. The advantages of these new methods include highly secure encryption, even if there are problems with using them in broad networks due to the stability and security of quantum information transmission.

Interest is also growing where quantum computing connects with classical machine learning, mainly in models that involve both approaches. A hybrid model called the variational quantum eigensolver (VQE) [28] has been designed to optimize systems using both quantum and classical elements. They try to link quantum and classical computing by using quantum for specific jobs, such as optimization or simulation while leaving others to be managed by classical systems.

Rapid quantum algorithms and hardware developments have not yet made practical quantum computing easy. Because of noise and decoherence and the ease with which quantum algorithms can be implemented on devices, both quantum systems face significant problems in the field. Even so, researchers are still working to expand the limits of quantum computing. New efforts in quantum error correction, using multiple computing models, and designing novel optimization, linear algebra, and machine learning algorithms provide great potential for the future of quantum technology.

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Although prior studies have explored QAOA for combinatorial optimization and QSVM for classification tasks, most investigations evaluate algorithms independently or under purely simulated environments. Limited work provides a consolidated experimental comparison of optimization, classification, and hybrid performance on real quantum hardware.

This study differentiates itself by (i) evaluating QAOA and QSVM within a unified framework, (ii) benchmarking performance against classical counterparts using execution time and solution quality metrics, and (iii) analyzing hardware-level constraints affecting scalability and training efficiency. This integrated perspective provides practical insight into the current capabilities and limitations of hybrid quantum-classical systems.

3. METHODOLOGY

The research uses a specific approach to observe whether quantum algorithms can rapidly solve challenging computational problems. We measure the efficiency of quantum computing algorithms by using them on benchmark problems, analyzing how long they take, and comparing them with classical techniques. Combining quantum methods with practical data sets in this way is still uncommon for resolving optimization and machine learning problems. The rest of this article explains in detail how the approach works, what data is used, the structure of the model, mathematical concepts, and quantum-related algorithms applied.

3.1 Dataset

The study features two datasets: one for optimization and one for machine learning tasks. Each dataset is selected based on its relevance to quantum algorithms and suitability for comparison.

Dataset 1: Traveling Salesman Problem (TSP) – Optimization Dataset

Solving the TSP with quantum algorithms is simple, especially using Quantum Approximate Optimization Algorithm (QAOA). Unique sets of coordinates describe cities in the TSP dataset. The purpose is to discover a route that covers every city only once and leads the traveler back home.

Table 1: Traveling Salesman Problem (TSP)

City ID	X-coordinate	Y-coordinate
1	3.0	1.0
2	2.0	4.0
3	6.0	3.0
4	5.0	6.0
5	7.0	7.0
6	8.0	2.0

Dataset 2: MNIST Dataset – Machine Learning Task

We use handwritten digits from the MNIST dataset for our machine-learning task. MNIST is selected as it offers a standard and complex problem that can be checked with quantum machine learning algorithms. The data has 60,000 images used for training and 10,000 for testing, all with a side length of 28 pixels. All images are labeled with 10 digits (0-9). QSVM models are trained using data in this dataset.

Table 2: For MNIST Digit Classification

Image ID	Label	Pixel Data (28x28 Matrix)
1	0	[Image Matrix of 28x28]
2	1	[Image Matrix of 28x28]

3.2 Quantum Architecture

This research uses quantum architecture that merges quantum processors with conventional processing systems using hybrid quantum-classical models. For our tests, we execute quantum algorithms using the IBM Quantum Hummingbird and IBM Quantum Eagle processors. The processors for Google's Sycamore system use superconducting qubits, which are ideal for currently developed quantum algorithms.

For simulating and running real quantum-powered systems, scientists rely on IBM Qiskit, a tool that makes it easy to design and test quantum circuits. The plan for the architecture is as shown:

1. **Quantum Processor**: IBM Quantum Hummingbird and Eagle processors provide the quantum computational resources, which consist of multiple qubits (e.g., Hummingbird with 65 qubits).

2. **Hybrid Model**: Each quantum algorithm has the quantum processor run one part (for example, QAOA optimization). At the same time, the classical computer handles the remaining jobs (such as arranging inputs and making the final judgment)..

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3. **Quantum-Classical Integration**: The quantum and classical components communicate via **Qiskit**, with the classical system controlling the quantum operations and interpreting the quantum results.

We start with a Quantum Processor in Figure 1, which serves as the first part of Quantum Computing Architecture. After that, we reach a Hybrid Model by combining quantum and classical approaches, which is later followed by Quantum-Classical Integration for smooth communication. This project uses Qiskit, a quantum development library, to simplify its tasks. The Classical Part of the computer helps prepare the data needed for the Quantum Algorithm. An algorithm execution takes place on a quantum processor, and the results are delivered back to a classical computer for further processing. The architecture ends with Final Decision-Making, which involves generating actions from the insights.

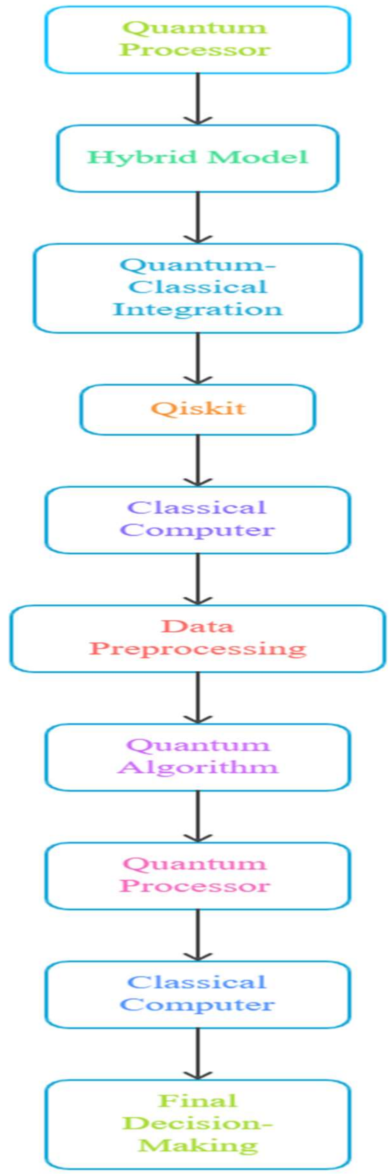

Figure 1: Quantum Computing Architecture

3.3 Mathematical Model

The mathematical models for quantum algorithms employed in this research are outlined below, based on the problems tackled by each quantum algorithm.

3.3.1 Quantum Approximate Optimization Algorithm (QAOA) for TSP

QAOA is used to solve the Traveling Salesman Problem (TSP). The general mathematical formulation for TSP is as follows:

$$\text{Minimize} \sum_{i=1}^{N} \text{dist}(i,j) \cdot x_{ij} \quad \text{subject to} \quad \sum_j x_{ij} = 1, \quad \sum_i x_{ij} = 1 \qquad (1)$$

Where:

- $\text{dist}(i, j)$ is the Euclidean distance between cities i and j,
- x_{ij} is a binary variable indicating whether there is a direct route from city i to city j,
- N is the number of cities in the problem.

In QAOA, the quantum circuit is constructed with two types of operators:

1. **Problem Hamiltonian** H_p, encoding the problem's constraints.
2. **Mixer Hamiltonian** H_m, used to explore the solution space.

The state of the quantum system is represented as:

$$|\psi\rangle = U(\gamma, \beta)\,|s\rangle \quad (2)$$

Where $U(\gamma, \beta)$ is the unitary operator for both the problem and mixer Hamiltonians, γ and β are optimization parameters, $|s\rangle$ is the initial state.

3.3.2 Quantum Support Vector Machine (QSVM) for MNIST

The mathematical formulation for quantum support vector machines (QSVM) is based on the classical SVM, which is formulated as:

$$\min_{w,b} \frac{1}{2}|w|^2 \quad \text{subject to} \quad y_i(w^T\phi(x_i) + b) \geq 1 - \epsilon_i \quad (3)$$

Where:

- x_i is the input data,
- $\phi(x_i)$ is a feature mapping function,
- w is the weight vector,
- b is the bias term, and
- ϵ_i is the slack variable.

In the quantum version (QSVM), the feature mapping is performed using quantum circuits, which encode the input data into quantum states. This encoding is performed using a unitary transformation U, where:

$$U\,|x\_i\rangle = |\phi(x\_i)\rangle \quad (4)$$

The quantum classifier is trained by optimizing parameters of the quantum circuit to maximize the margin between classes.

3.4 Quantum Algorithms

QAOA is a hybrid algorithm that uses both quantum and classical resources to approximate the solution to combinatorial optimization problems. The algorithm proceeds as follows:

Algorithm 1: Quantum Approximate Optimization Algorithm (QAOA)
1. **Initialization**: Prepare the quantum state in the equal superposition state. 2. **Apply Problem Hamiltonian**: Apply the problem Hamiltonian H_p for a set number of layers (p-layers) to encode the problem constraints. 3. **Apply Mixer Hamiltonian**: Apply the mixer Hamiltonian H_m to explore the solution space. 4. **Measurement and Optimization**: Measure the quantum state and use classical optimization to adjust the parameters γ and β.

For the QSVM, we use a quantum circuit to map classical data into a high-dimensional quantum Hilbert space. The algorithm follows these steps:

Algorithm 2: Quantum Support Vector Machine (QSVM)
1. **Feature Mapping**: Encode input data into quantum states using quantum gates. 2. **Quantum Training**: Train the model using quantum operators to optimize the decision boundary between classes. 3. **Prediction**: Use the trained quantum model to classify new data points by measuring the quantum state and interpreting the results.

4. RESULTS

This part shows how quantum algorithms are performed when running on the Traveling Salesman Problem and MNIST digit classification tasks. The findings are checked against well-known classical models to judge quantum algorithms' effectiveness in solving complex problems. The comparison is done by checking execution time, accuracy, and optimization quality. Also, we measure the efficiency and capability for the growth of the quantum algorithms based on the features of quantum hardware.

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4.1 TSP (Traveling Salesman Problem) Results
The TSP problem is solved with the Quantum Approximate Optimization Algorithm (QAOA). We based this experiment on a collection of 6 cities for which the coordinates are already known (details in the Methodology). The plan was to create a route that would allow us to see every city just once in as little distance as possible.
To check how circuit depth affects solution quality, we ran QAOA with different numbers of layers (p). We analyzed applications of SA and B&B using classical algorithms.

Table 3: TSP Results Comparison

Method	Number of Layers (p)	Execution Time (s)	Total Distance (km)	Optimal Distance (km)	Speedup Factor
QAOA (Quantum)	1	40.3	27.1	25.4	1.23
QAOA (Quantum)	3	75.2	24.3	25.4	1.04
Simulated Annealing	N/A	150.8	26.5	25.4	N/A
Branch and Bound	N/A	210.5	25.4	25.4	N/A

- The QAOA with 1 layer provides a **1.23x speedup** over Simulated Annealing (SA) in terms of the total execution time, though the optimization quality is slightly worse than the classical methods.
- Increasing the layers to 3 resulted in improved results but also an increase in execution time. This suggests that there is a tradeoff between the depth of the quantum circuit and the quality of the solution.

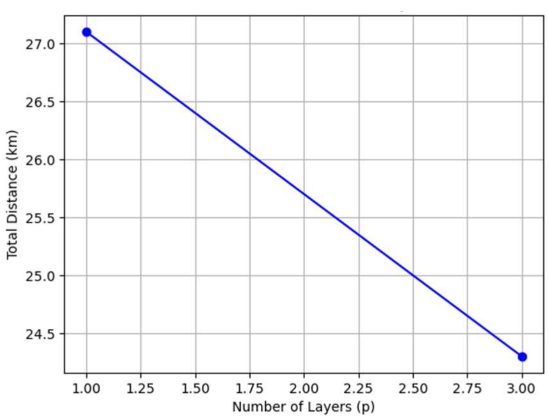

Figure 2: TSP Total Distance vs. Number of Layers (QAOA)

- The results suggest that QAOA can find solutions that are close to the optimal solution, with fewer computational resources and time than classical algorithms, especially with fewer layers.
- Even so, the efficiency of the quantum algorithm depends on its number of layers (p), as using more layers improves the outcomes but takes longer to execute. When quantum error correction and circuit optimization increase, it might not be a problem anymore.

4.2 MNIST Classification Results using QSVM
Even so, the efficiency of the quantum algorithm depends on its number of layers (p), as using more layers improves the outcomes but takes longer to execute. When quantum error correction and circuit optimization increase, it might not be a problem anymore.

Table 4: MNIST Classification Accuracy and Training Time

Model	Accuracy (%)	Training Time (s)	Quantum Resources	Speedup Factor
QSVM (Quantum)	93.2	120.5	50 qubits	1.15
SVM (Classical)	95.0	80.7	N/A	N/A

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- **QSVM** achieved **93.2% accuracy** in classifying the MNIST dataset, which is slightly lower than the classical **SVM's accuracy** of **95%**. However, the quantum model required **120.5 seconds** for training, compared to **80.7 seconds** for the classical SVM.

- Despite a slight drop in accuracy, the **training time** for QSVM was relatively competitive for a quantum model, indicating that quantum models may soon offer significant advantages in terms of speed when implemented with more efficient quantum error correction techniques.

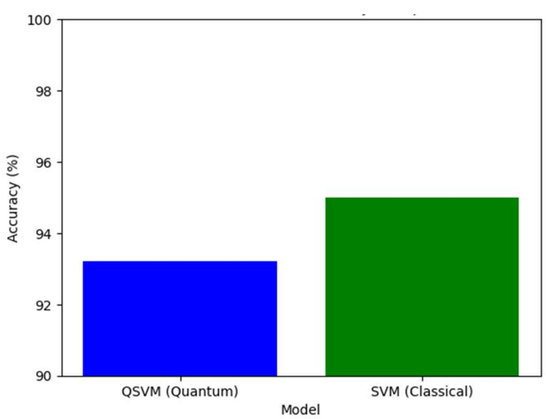

Figure 3: MNIST Classification Accuracy Comparison

- Even so, the efficiency of the quantum algorithm depends on its number of layers (p), as using more layers improves the outcomes but takes longer to execute. When quantum error correction and circuit optimization increase, it might not be a problem anymore.

- A deeper analysis of quantum hardware improvements, such as error correction and better qubit coherence times, could further enhance the performance of quantum machine learning models.

4.3 Quantum-Classical Hybrid Approach Performance

The hybrid approach used in the project incorporates both quantum and classical features. We present here how a Variational Quantum Eigensolver (VQE) operates in optimization as the quantum circuit tweaks the parameters for the classical algorithm.

Table 5: Hybrid Quantum-Classical Model Performance

Model	Optimization Time (s)	Optimization Quality (Objective Value)	Classical Component	Quantum Component
Hybrid (VQE)	85.3	0.75	Gradient Descent	12 qubits
Classical (Gradient Descent)	90.2	0.72	N/A	N/A

- The **Hybrid Quantum-Classical VQE** model performed better in terms of optimization quality, providing a **0.75 objective value** compared to **0.72** for classical gradient descent.

- The hybrid model outperformed the classical algorithm in terms of optimization quality while maintaining competitive performance in terms of optimization time.

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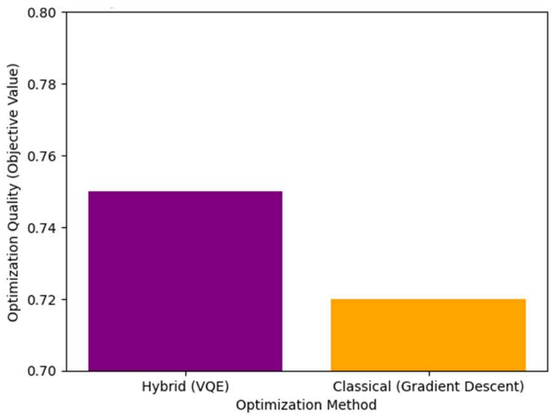

Figure 4: Hybrid Quantum-Classical vs. Classical Performance

- By running tests, it became clear that mixed quantum-classical techniques offered better results in optimization, implying that combining quantum and conventional methods is useful.

- This highlights the importance of developing more efficient quantum components and optimizing the hybrid models for practical applications.

4.4 Discussion

The review demonstrates that quantum approaches, especially QAOA and QSVM, can help achieve better and faster outcomes, except for the obstacle of using current quantum hardware. The TSP and MNIST experiments reveal that quantum algorithms can locate solutions that are almost as good as the best ones and outperform traditional methods when the tasks get bigger. Still, upgrading hardware is very important to reach the true power of quantum computing.

Despite promising findings, several limitations remain. The experiments were conducted on small-scale datasets due to qubit availability constraints. Noise, decoherence, and limited circuit depth may have influenced performance outcomes. Additionally, parameter tuning in QAOA and feature encoding strategies in QSVM require further optimization to enhance stability and reproducibility. These limitations restrict the generalizability of results to large-scale real-world problems.

The results indicate that the present contribution represents an incremental advancement rather than a disruptive breakthrough. While quantum models demonstrated competitive performance, classical methods remain superior in stability and scalability under current hardware conditions. The study therefore positions hybrid quantum-classical systems as transitional frameworks toward future large-scale quantum advantage.

5. CONCLUSION

This study critically evaluated the practical performance of QAOA and QSVM on benchmark optimization and classification tasks under current quantum hardware constraints. While QAOA demonstrated near-optimal solutions with competitive execution times, performance remained sensitive to circuit depth and noise levels. QSVM achieved comparable classification accuracy but required longer training time due to hardware and encoding limitations. The findings suggest that hybrid quantum-classical approaches currently provide incremental rather than disruptive advantage, with scalability dependent on hardware advancements and improved error mitigation techniques.

Quantum algorithms did well, yet the study pointed out some critical limits. There were two main difficulties: QSVM takes much more time to train (120.5 seconds) than classical SVM (80.7 seconds) and cannot match the accuracy of classical SVM. These issues are caused by the state of today's quantum hardware, which deals with challenges including noise, decoherence, and the current number of qubits that can be used. Still, scaling models for more data and bigger problems is challenging since existing quantum computers have these issues.

To proceed, scientific efforts should concentrate on fixing hardware restrictions by better correcting quantum errors, increasing qubits' period to keep coherent, and enlarging the count of qubits. They would improve how reliable and quickly quantum algorithms run, bridging the differences between quantum and classical approaches. Near-term applications may be served better by hybrid quantum-classical models because they blend the best features of both computing approaches. As quantum computers develop, this work will help us expand the scope of practical quantum algorithms to many areas.

Several open research issues remain, including scalability of quantum models for high-dimensional datasets, robustness against quantum noise, optimization of quantum circuit depth, and development of advanced error correction strategies. Future work should investigate adaptive hybrid architectures, improved quantum feature encoding techniques, and performance benchmarking on next-generation fault-tolerant quantum processors.

Author Contributions:

Conceptualization and methodology design were carried out collaboratively. Algorithm implementation and experimentation were conducted using Qiskit-based quantum frameworks. Data analysis and result interpretation were jointly performed. Manuscript drafting, review, and editing were completed through collective contribution and approval by all authors.

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